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1	Bumblebees measure optic flow for position and speed control flexibly within the frontal
2	visual field
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4	Nellie Linander*, Marie Dacke and Emily Baird
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6	Lund Vision Group, Department of Biology, Lund University, Sweden
7	*corresponding author: <u>nellie.linander@biol.lu.se</u>

ABSTRACT

10 When flying through narrow spaces, insects control their position by balancing the magnitude 11 of apparent image motion (optic flow) experienced in each eye and their speed by holding this 12 value about a desired set-point. Previously, it has been shown that when bumblebees 13 encounter sudden changes in the proximity to nearby surfaces – as indicated by a change in 14 the magnitude of optic flow on each side of the visual field – they adjust their flight speed 15 well before the change, suggesting that they measure optic flow for speed control at low 16 visual angles in the frontal visual field. Here, we investigate the effect that sudden changes in 17 the magnitude of translational optic flow have on both position and speed control in 18 bumblebees if these changes are asymmetrical, that is, if they occur only on one side of the 19 visual field. Our results reveal that the visual region over which bumblebees respond to optic 20 flow cues for flight control is not dictated by a set viewing angle. Instead, they appear to use 21 the maximum magnitude of translational optic flow experienced in the frontal visual field. 22 This strategy ensures that bumblebees use the translational optic flow generated by the nearest 23 obstacles – that is, those with which they have the highest risk of colliding – to control flight.

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Keywords: bumblebee, flight control, optic flow, position, flight speed, viewing angle

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INTRODUCTION

30 When an animal moves through the environment, the image of the world moves across its 31 retina, creating a pattern of apparent image motion known as optic flow (Gibson, 1950; 32 Gibson, 1979). During forward motion, translational optic flow (the term 'translational optic 33 flow' in this context refers to image motion along the animal's longitudinal axis) varies 34 inversely with the distance to nearby surfaces so that closer objects appear to move faster than 35 those that are further away. Thus, translational optic flow provides important information 36 about an animal's self motion and the spatial layout of the environment (Collett, 2002; 37 Koenderink, 1986; Lappe, 2000). Flying insects use this information to control various 38 aspects of their flight. When flying through narrow spaces, honeybees and bumblebees use 39 translational optic flow to control their position so as to maintain an equal distance to the 40 nearby surfaces – a behaviour known as *centring*. It has been proposed that this centring 41 behaviour is achieved by balancing the magnitude of the lateral optic flow experienced in 42 each eye (Dyhr and Higgins, 2010; Kirchner and Srinivasan, 1989; Srinivasan et al., 1991; 43 Srinivasan et al., 1996) or by maintaining the magnitude of unilateral optic flow about a set-44 point (Serres et al., 2008a, 2008b). Translational optic flow cues are also used by honeybees 45 (Portelli et al., 2011, Baird et al., 2005; Barron and Srinivasan, 2006; Srinivasan et al., 1996), 46 bumblebees (Baird et al., 2010) and Drosophila (David, 1982; Fry et al., 2009) to control their 47 ground speed. By holding the magnitude of translational optic flow about a set-point, these 48 insects ensure that their speed automatically decreases as the distance to nearby obstacles (and 49 therefore the risk of collision) decreases. Thus, by utilising information contained in the 50 translational optic flow field, insects have developed computationally simple strategies for 51 solving the rather complex problem of controlling flight and avoiding collisions with nearby 52 obstacles.

53 Although we now understand quite a lot about how insects use translational optic flow 54 cues for position and speed control, one thing that remains unclear is how they use this 55 information to detect and respond to *changes* in the proximity of the environment, such as 56 those which might occur when flying from a cluttered forest into an open field. The key lies in 57 understanding where in the visual field translational optic flow for flight control is being 58 measured. For an insect that is flying at a constant forward speed, the magnitude of 59 translational optic flow is not constant over the entire visual field. Instead, it is greatest at an 60 angle of 90 deg. from the direction of motion and decreases to a value of zero in the direction 61 of flight (in pure forward translation, this would be aligned with the midline of the insect and

62 its visual field) (Gibson, 1950). This means that the relative difference in the magnitude of 63 translational optic flow experienced by an insect approaching a change in the proximity of the 64 environment would be larger, and presumably easier to detect, in more lateral regions of the 65 visual field (assuming that the eyes are aligned with the direction of flight). However, the 66 larger the angle at which these changes are detected, the less time an insect will have to adjust 67 its flight before encountering the change. Thus, the viewing angle at which optic flow is 68 measured has important consequences for flight in densely cluttered environments, where 69 timely control of position and speed are necessary for effective collision avoidance.

70 In one of the first attempts to identify where in the visual field optic flow is measured for 71 flight control, Srinivasan et al., (1991) investigated how honeybees adjust their position in 72 response to a black bar presented in an otherwise featureless flight tunnel. The bees deflected 73 away from the bar only once they had flown past it, suggesting that they were measuring optic 74 flow for position control in the lateral region of the visual field. This was consistent with the 75 findings of an earlier study which showed that, to locate a frontally positioned target, 76 honeybees use image motion generated by landmarks in the lateral visual field (Lehrer, 1990). 77 In contrast to these earlier findings, however, more recent studies on honeybees (Portelli et al., 78 2010), blowflies (Kern et al., 2012) and bumblebees (Baird et al., 2010) suggest that these 79 insects also respond to changes in optic flow that occur in the more frontal region of the 80 visual field. In the latter study, aimed at defining the minimum viewing angle at which 81 bumblebees measure translational optic flow for ground speed control, the changes in 82 translational optic flow were laterally symmetric, meaning that the same change occurred in 83 both the left and the right visual fields at the same time. What remains unclear, however, is 84 how position and speed control is affected when bumblebees experience a sudden change in 85 optic flow that occurs on only one side of the visual field, that is, when it becomes 86 asymmetric. Are bumblebees also able to detect and respond to these unilateral changes in the 87 proximity of the environment at low viewing angles? If so, how and when do they react to 88 these changes? Here, we aim to answer these questions by presenting bumblebees with abrupt 89 unilateral changes in translational optic flow – generated by flight past stationary patterns 90 whose visual properties change abruptly – and record the effect on position and flight speed.

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96	RESULTS
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98	The effect of asymmetric translational optic flow cues on flight control
99	The centring response
100	When both walls of the 3 m long flight tunnel (Fig. 1) were lined with checkerboard patterns
101	(S_{checks}) , providing laterally symmetric translational optic flow cues (indicated by the letter S
102	in the abbreviation S_{checks}), the flight paths in both the 30 cm and 15 cm wide tunnels were
103	relatively straight (Fig. 2A). The low values for the mean lateral distance from the midline in
104	both the 30 cm wide tunnel, 0.04 ± 1.18 cm (mean \pm s.d.), and the 15 cm wide tunnel, 0.14 ± 0.21
105	cm, indicate that the bumblebees centred accurately between the two walls (Fig. 2). When the
106	lateral translational optic flow in the tunnel was asymmetric (indicated by the letter A in
107	abbreviations below), with horizontal stripes (providing only weak translational optic flow
108	cues) on one wall and checks (providing strong translational optic flow cues) on the other, the
109	trajectories were still relatively straight but they were shifted towards the striped wall
110	(P < 0.001; for details of this and all statistical analyses shown below, see Table 1) with mean
111	lateral positions of 10.42±0.47 cm and 4.19±0.38 cm from the midline in the 30 cm and 15
112	cm wide tunnels, respectively (Fig. 2). When both walls were lined with stripes ($S_{stripes}$),
113	providing laterally symmetric translational optic flow cues (indicated by the letter S in the
114	abbreviation $S_{stripes}$), the flight trajectories were more widely distributed across the tunnel (-
115	4.49±2.38 cm and -0.56±0.57 cm from the midline in the 30 cm and 15 cm wide tunnels,
116	respectively). Some bees even flew from wall to wall, suggesting that they were no longer
117	able to control their position (Fig. 2A).
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119	Flight speed

When the translational optic flow cues were laterally symmetric - checks on both walls 120 (S_{checks}) - flight speed was significantly slower (30 cm: 68.3±13.0 cm/s; 15 cm: 49.6±11.3 121 122 cm/s) than when these cues were asymmetric - checks on one wall and stripes on the other 123 (A) (30 cm: 82.4±15.4 cm/s, P<0.001; 15 cm: 60.6±15.4 cm/s, P=0.004) (Fig. 3). However, 124 flight speed in the asymmetric condition was still significantly slower than when both walls of 125 the tunnel were lined with horizontal stripes (S_{stripes}) (30 cm: 122.4±27.0 cm/s, P<0.001; 15 126 cm: 150.4±40.2 cm/s, P<0.001) (Fig. 3). In addition, the bees flew significantly faster in the 127 30 cm wide tunnel than in the 15 cm wide tunnel in both the asymmetric (A) and the symmetric condition with checkerboard pattern on both walls (S_{checks}) (P<0.001) (Fig. 3), but 128

129 this relationship was inverted when both walls were lined with the stripe pattern ($S_{stripes}$) 130 (P=0.03) (Fig. 3).

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The effect of abrupt unilateral changes in translational optic flow

133 In this experiment, one wall of the tunnel displayed a checkerboard pattern while the pattern 134 on the other wall changed from checks to stripes (creating an abrupt change from symmetric 135 to asymmetric optic flow cues, $S_{checks} \rightarrow A$), or vice versa (creating an abrupt change from 136 asymmetric to symmetric optic flow cues, $A \rightarrow S_{checks}$) halfway along the tunnel (see Fig 1B). 137 For clarity, the experimental conditions have been abbreviated according to the combination 138 of patterns, with S_{checks} representing checkerboard pattern on both walls, $S_{stripes}$ representing 139 axial stripes on both walls and A representing an asymmetric pattern combination with checks 140 on one wall and axial stripes on the other. The first character in the abbreviation represents 141 the pattern combination in the first half of the tunnel (with respect to a bee flying towards the 142 feeder) and the second character represent the pattern combination in the second half. Thus, 143 the experimental condition $S_{checks} \rightarrow A$ indicates that the first half of the tunnel is lined with 144 checks on both walls and the second half of the tunnel is lined with checks on one wall and axial stripes on the other wall. The experimental condition $A \rightarrow S_{checks}$ indicates that the first 145 146 half of the tunnel is lined with checks on one wall and axial stripes on the other and the 147 second half of the tunnel is lined with checks both walls.

148 Condition *A* refers to the control condition, which generates an asymmetric optic flow field 149 (checks on one wall and axial stripes on the other) along the full length of the tunnel. 150 Condition S_{checks} refers to the control condition *S* generating a symmetric optic flow field 151 (checks on both walls) along the full length of the tunnel.

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153 Lateral position

154 When the bees experienced an abrupt change from asymmetric to symmetric optic flow cues 155 $(A \rightarrow S_{checks})$, they responded by shifting their flight trajectories from a position that was close 156 to the striped wall (and not significantly different from the average lateral position in the 157 control condition, A) to a position that was close to the tunnel's midline. In the 30 cm wide 158 tunnel, this response occurred at an average lateral distance of 6 cm from the striped wall and 159 at a longitudinal distance of 12 cm before the pattern change (P=0.02; Fig. 4B). At this 160 position, the pattern change was located at a viewing angle of 27 deg. lateral to the midline of 161 the bee (see Fig. 1C for details of this calculation). In the 15 cm wide tunnel, the bees

adjusted their lateral position at a longitudinal distance of 16 cm and a lateral distance of 4 cm from the pattern change (P=0.04; Fig. 4C), when it was located at a viewing angle of approximately 14 deg.

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166 When the pattern on one wall instead changed from symmetric to asymmetric optic flow cues 167 $(S_{checks} \rightarrow A)$, the position of the bees in the 30 cm wide tunnel did not differ significantly from 168 the control condition (S_{checks}) until they reached a longitudinal distance of 4 cm before the 169 pattern change and an average lateral distance of 15 cm from the wall (P=0.02; Fig. 4D). At 170 this position, the pattern change was located at a viewing angle of approximately 75 deg. In 171 the 15 cm wide tunnel, the change in lateral position did not occur until the bees reached a 172 longitudinal distance of 2 cm after the pattern change at a lateral distance of 7 cm from the 173 wall (P=0.002; Fig. 4E). This corresponds to a viewing angle of 106 deg.

Together, these results suggest that, when bumblebees are presented with an abrupt unilateral change from axial stripes to checks, they adjust their lateral position well before they reach the change itself or, more specifically, when the change occurs at low frontal viewing angles (approximately 14-27 deg.). In contrast, when the unilateral change is from checks to axial stripes, bumblebees do not adjust their lateral position until the change occupies much larger, more lateral viewing angles (approximately 75-106 deg.).

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182 Flight speed

183 When the translational optic flow cues changed from asymmetric to symmetric $(A \rightarrow S_{checks})$ 184 the bees decreased their flight speed with respect to the control condition (A) at a longitudinal 185 distance of 18 cm and a lateral distance of 5 cm before the pattern change in the 30 cm wide 186 tunnel (P=0.04; Fig. 5A). At this position, the pattern change was located at a viewing angle 187 of approximately 16 deg. In the 15 cm wide tunnel, flight speed decreased significantly from 188 the control condition at a longitudinal distance of 20 cm and a lateral distance of 3 cm before 189 the pattern change (P=0.02; Fig. 5B). At this position, the pattern change was located at a 190 viewing angle of approximately 9 deg.

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192 When the translational optic flow cues changed from symmetric to asymmetric ($S_{checks} \rightarrow A$), 193 the bees increased their flight speed significantly in response to the sudden decrease in optic 194 flow cues. In the 30 cm wide tunnel, this increase did not occur until the bees reached a longitudinal distance of 22 cm *after* the pattern change, at a lateral distance of 9 cm from the wall (P=0.03; Fig. 5C). The pattern change at this position occurs at a viewing angle of 157 deg. In the 15 cm wide tunnel, the acceleration did not occur until a longitudinal distance of 14 cm *after* the pattern change, and at a lateral distance of 5 cm from the wall (P=0.01; Fig. 5D), with the pattern change located at a viewing angle of 159 deg.

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These results suggest that, when the unilateral optic flow cues change from weak (axial stripes) to strong (checks), condition $A \rightarrow S_{checks}$, bumblebees decelerate well *before* passing the change in optic flow. When the pattern instead changes from checks to axial stripes condition $S_{checks} \rightarrow A$, they respond by accelerating but not until *after* they have passed the pattern change.

DISCUSSION

209 Bumblebees respond to low magnitudes of translational optic flow at low viewing angles

210 When presented with a unilateral change from axial stripes to checks $(A \rightarrow S_{checks})$, the 211 bumblebees adjusted both their position and speed when the optic flow cues subtended only a 212 very small region of the frontal visual field. In the most extreme case, bumblebees decreased 213 their flight speed from 53 cm/s when the pattern change occupied a viewing angle of only 9 214 deg. (in the 15 cm tunnel). The maximum magnitude of translational optic flow that the bees 215 would have experienced at the location of the pattern change in this case would have been 216 approximately 24 deg./s. Considering that there is inevitably a delay between when the visual 217 system detects a change in optic flow and when a behavioural response is initiated – this delay 218 has been estimated at 100 ms in *Drosophila* (Fry et al., 2009) – it is likely that the bumblebees 219 were reacting to the pattern when it generated even lower magnitudes of optic flow. Can 220 bumblebees really detect and react to such low magnitudes of optic flow at such low viewing 221 angles?

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Behavioural evidence that bumblebees can detect and respond to low magnitudes of optic flow was first provided by Baird et al. (2010), which showed that bumblebees changed their flight speed in response to a bilateral increase in tunnel width from 15 to 30 cm when the view of the wider tunnel subtended a viewing angle of approximately 30 deg. While this is larger than the viewing angle observed in the present study, the magnitude of translational 228 optic flow experienced by bees in this case was approximately 30 deg./s, in other words, not 229 far from the value of 24 deg./s measured in the present study. These findings are also 230 supported by physiological evidence that motion-sensitive neurons in the bumblebee visual 231 system respond to magnitudes of optic flow ranging from 5 deg./s to above 2000 deg./s 232 (O'Carroll et al. 1996). Thus, the response threshold recorded in the present study lies well 233 within the range of magnitudes that the visual system of bumblebees can detect, and provides 234 strong behavioural evidence that the motion-sensitive mechanism underlying position and 235 speed control is capable of detecting and responding to very low magnitudes of optic flow at 236 low viewing angles.

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238 Bumblebees can use both unilateral and bilateral optic flow cues for speed control

239 Bumblebees adjust their trajectories so that they fly further away from the wall that generates 240 higher translational optic flow when presented with asymmetric optic flow cues (checks on 241 one wall and stripes on the other, A). This is consistent with the findings of similar 242 experiments performed on bumblebees (Baird et al., 2011; Dyhr and Higgins, 2010) and 243 honeybees (Kirchner and Srinivasan, 1989; Srinivasan et al., 1996; Srinivasan et al., 1991). In 244 addition, we find that bumblebees fly significantly faster when the translational optic flow is 245 asymmetric than when the optic flow cues are strong in both eyes (checks on both walls, 246 S_{checks}). A possible explanation for this result is that, as the bees increase the distance to the 247 wall that provides strong optic flow cues (the checks), they experience a decrease in the 248 apparent magnitude of optic flow generated by that wall. Since bumblebees regulate their 249 ground speed by holding the magnitude of optic flow around a set-point (Baird et al., 2010), 250 this change would induce a compensatory increase in flight speed provided that optic flow 251 from one visual field provides sufficient information for speed control.

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253 To investigate if the recorded increase in flight speed represents an attempt to hold the 254 magnitude of translational optic flow constant in one visual field, we can estimate the 255 maximum magnitude of optic flow experienced in the symmetric condition and compare it 256 with that experienced when the translational optic flow cues are asymmetric. When both walls 257 were lined with checkerboard pattern, the bees flew along the midline of the 30 cm wide 258 tunnel at an average forward speed of 68 cm/s. The maximum magnitude of optic flow 259 experienced by the bees in this case would be approximately 260 deg./s at a viewing angle of 260 90 deg. When the translational optic flow was asymmetric, the bees flew at an average lateral 261 distance of 25 cm from the checkerboard wall and increased their flight speed to 82 cm/s. In 262 this case, the maximum magnitude of translational optic flow (which occurs at a 90 deg. 263 viewing angle) would be approximately 188 deg./s. Given that the difference in the magnitude 264 of optic flow between these two conditions would only decrease with viewing angle – that is, 265 the lower the viewing angle at which translational optic flow is measured, the closer these 266 values become (at a viewing angle of 30 deg. for example, the values would be 130 and 94 267 deg.) – and that the bees are more likely to measure optic flow for speed control at frontal 268 rather than lateral viewing angles (discussed below), it is plausible that the increase in flight 269 speed that we observe in the asymmetric condition is due to the increased distance that the 270 bees are flying from the wall with the checkerboard pattern. This suggests that the bees are 271 able to regulate their flight speed even when optic flow cues are absent from one side of the 272 visual field.

274 Is this result consistent with the optic flow regulator model proposed by Serres et al. (2008a), 275 which is currently the only comprehensive model for how translational optic flow cues may 276 be used for speed control in flying insects? In this model, flight speed is controlled by 277 maintaining the sum of the optic flow in the dorsal/ventral or lateral visual fields at a set-point 278 - because the bees in our study changed their flight speed in response to changes in *lateral* 279 cues, we will assume that these were the dominant cues in this experiment. According to the 280 optic flow regulator model, the sum of the maximum magnitude of the translational optic flow 281 experienced by the bees when flying in the tunnel with checks on both sides should be equal 282 to that experienced in the tunnel with horizontal stripes on one wall. The sum of the 283 maximum magnitude of optic flow in the symmetrical condition is 520 deg./s (that is, 260*2 284 deg./s), while it is only 188 deg./s in the asymmetrical condition (in this case, only one wall is 285 generating translational optic flow). Thus, speed control in bumblebees does not seem to be 286 regulated by the summation of the magnitude of translational optic flow in the lateral visual 287 fields and is thus not fully explained by the optic flow regulator model. Instead, our results 288 suggest that, when translational optic flow cues are absent from one side of the visual field, 289 bumblebees control flight speed using unilateral translational optic flow cues – this is similar 290 to honeybees, which can use unilateral optic flow cues for calculating the distance flown to a 291 food source (Srinivasan et al., 1998). However, as soon as translational optic flow cues are 292 detected in the other eye, information from both sides of the visual field is used for speed 293 control.

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296 Translational optic flow for speed control is measured flexibly in the visual field

297 Unilateral changes from axial stripes to checks $(A \rightarrow S_{checks})$ caused a reduction in flight speed 298 when they occupied low visual angles (16 deg. and 9 deg. in the 30 cm and 15 cm wide 299 tunnels, respectively). When the unilateral translational optic flow cues changed from checks 300 to stripes $(S_{checks} \rightarrow A)$, however, flight speed was adjusted only once the bees had already 301 moved closer to the axial stripes. At this point, the checkerboard pattern on the wall with the 302 pattern change is present only at very large viewing angles (157 deg. in the 30 cm tunnel and 303 159 deg. in the 15 cm tunnel). Thus, in the $A \rightarrow S_{checks}$ condition, the bees were changing their 304 flight speed when the translational optic flow cues occupied a very narrow region of the 305 frontal visual field, whereas in the $S_{checks} \rightarrow A$ condition, flight speed was reduced only once 306 the checkerboard pattern had passed 90 deg. Given the large difference in the visual angle of 307 the pattern at the time that the bees initiated a significant change in flight speed, our results 308 demonstrate that bumblebees are not measuring optic flow for speed control at one set 309 viewing angle. Instead, this angle appears to be modified depending on where in the visual 310 field translational optic flow is experienced (this hypothesis is discussed in more detail below).

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312 Translational optic flow for position control is measured flexibly in the visual field

313 One model that has been proposed to explain how optic flow may be used to control lateral 314 position in insects is the optic flow regulator model (Serres et al., 2008a). This model 315 proposes that position is controlled by a unilateral optic flow regulator that strives to maintain 316 the maximum magnitude of optic flow experienced in a lateral visual field about a set-point. 317 We can explore whether this model explains our data by comparing the maximum magnitude 318 of optic flow experienced in each lateral visual fields as the bees fly through the tunnel. This 319 can be done by calculating the maximum magnitude of translational optic flow at 1 deg. 320 intervals over each 180 deg. visual field and then calculating the difference between these 321 values (Fig. 6). If this relative difference in the maximum magnitude of translational optic 322 flow experienced in each visual field is zero then the maximum magnitude of translational 323 optic flow is equal in both eyes, negative values indicate that it is lower in the visual field 324 viewing the pattern change and vice versa. A prediction of the optic flow regulator model is 325 that, when the bees adjust their position in response to the pattern change, the maximum 326 magnitude of translational optic flow in the lateral visual field viewing the pattern change will 327 be larger than in the lateral visual field viewing the opposite wall - in other words, if the 328 magnitude of the optic flow on the wall with the constant check pattern was always larger

329 than on the wall with the pattern change, the bees would not need to initiate a change in position. In the case where the pattern on one wall changes from stripes to checks $(A \rightarrow S_{checks})$, the bees adjust their position when the maximum optic flow experienced in the lateral visual field viewing the pattern change is 130 deg./s higher than the maximum optic flow generated by the opposite wall in the 30 cm wide tunnel but 88 deg./s lower than the maximum optic flow generated by the opposite wall in the 15 cm wide tunnel (red dotted lines, Fig. 6). In the $S_{checks} \rightarrow A$ condition, position is adjusted when the maximum optic flow on the wall with the change is 14 and 161 deg./s higher (in the 30 and 15 cm wide tunnels, respectively) than the opposite wall (blue dotted lines, Fig. 6). Thus, in two of four conditions, the maximum optic flow in the lateral visual field viewing the wall with the pattern change is less than, or very close to the optic flow experienced in the visual field viewing the opposite wall (it is important also to bear in mind that the bees would have already detected the change in optic flow when we observe a behavioural response, so that the magnitude of the optic flow when the bees detect the change would be lower). Overall, our results suggest that bumblebees do not regulate their position using only one measure of the highest magnitude of optic flow experienced in the visual field, indicating that the optic flow regulator model does not fully explain position control in bumblebees.

A second model that describes how position might be regulated using translational optic flow cues is the optic flow balancing model (Srinivasan et al., 1991). This model suggests that position is controlled by balancing the magnitude of translational optic flow in the lateral part 350 of each visual field. The first prediction of this model, namely that position is controlled by 351 balancing the magnitude of optic flow experienced in each eye, can be explored by comparing 352 the maximum magnitude of optic flow experienced in each lateral visual field as the bees fly 353 through the tunnel (Fig. 6). Our analysis shows that, when one side of the visual field 354 experienced a large increase in the magnitude of translational optic flow, bumblebees adjusted 355 their speed and position so as to equalise the maximum magnitude of optic flow experienced 356 in each eye (red lines, Fig. 6). At the point when a behavioural response was observed, the 357 maximum magnitude of translational optic flow in the visual field viewing the pattern change 358 was located at the viewing angle occupied by the pattern change itself (speed: 9 deg. and 16 359 deg.; position: 14 deg. and 27 deg., 15 and 30 cm wide tunnels, respectively). When there was 360 a large decrease in the magnitude of translational optic flow, bumblebees again adjusted their 361 speed and position so as to equalise the maximum magnitude of optic flow experienced in 362 each eye (blue lines, Fig. 6). Once again, at the point when the behavioural responses

363 occurred, the maximum magnitude of translational optic flow in the visual field viewing the 364 pattern change occurred at the viewing angle occupied by the pattern change (speed: 159 deg. 365 and 157 deg.; position: 106 deg. and 75 deg., 15 and 30 cm wide tunnels, respectively) in all 366 but one case. In this case, position in the 15 cm wide tunnel was adjusted when the pattern 367 change subtended a viewing angle of 75 deg. (the maximum magnitude of optic flow in this 368 case would have been experienced at 90 deg.). Overall, our results indicate that, when 369 bumblebees experience a sudden increase or decrease in the magnitude of translational optic 370 flow, they change both their position and speed so as to equalise this value in each eye.

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372 It is interesting to note that we observe a difference in the timing of the speed and position 373 changes depending on whether the magnitude of translational optic flow increases or 374 decreases. When the magnitude of translational optic flow increased, speed and position were 375 adjusted when the pattern change subtended similar viewing angles (speed: 9 deg. and 16 376 deg.; position: 14 deg. and 27 deg., 15 and 30 cm wide tunnels, respectively). However, when 377 the magnitude of optic flow decreased abruptly, bumblebees adjusted their position before 378 they adjusted their speed. One major difference between the speed response to the abrupt 379 increase and decrease in translational optic flow is that in the former case, the bees were 380 responding by slowing down, whereas in the latter case, they were responding by speeding up. 381 It is likely that the bees take longer to speed up than to slow down, which would mean that a 382 significant difference between the test and control condition would not be observed until 383 some time *after* the bees initiate a response. It is therefore possible that speed and position are 384 indeed being adjusted at the same time in this condition (as they are when there is an abrupt 385 increase in the translational optic flow cues).

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387 The second prediction of the optic flow balancing model is that optic flow is being balanced 388 in the lateral visual field of each eye. We can explore whether this is the case for bumblebees 389 by investigating when they reacted to the pattern changes. When bumblebees experienced a 390 sudden loss of translational optic flow on one side $(S_{checks} \rightarrow A)$, they did not modify their 391 lateral position until the axial stripes subtended a relatively large viewing angle (75 deg. in the 392 30 cm wide tunnel and 106 deg. in the 15 cm wide tunnel), which is consistent with the 393 prediction of the optic flow balancing model. However, when the bumblebees experienced a 394 change from asymmetric to symmetric optic flow cues ($A \rightarrow S_{checks}$), they modified their lateral 395 position when the translational optic flow cues subtended very small viewing angles (27 deg. 396 in the 30 cm tunnel; 14 deg. in the 15 cm tunnel). Thus, they do not appear to be measuring

translational optic flow cues for position control at lateral viewing angles or even at one set angular position in each visual field. Instead of balancing the magnitude of optic flow at a large fixed viewing angle in each visual field to control position (as the optic flow balancing model suggests), bumblebees appear to be balancing the maximum magnitude of optic flow experienced in the frontal part of each visual field flexibly, that is, irrespective of whether this value occurs at the same or different visual angles in each visual field.

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404 Bumblebees respond primarily to translational optic flow information generated by the 405 nearest obstacles

406 Overall, the findings of this study indicate that the visual angle at which optic flow cues are 407 being used for position and speed control varies depending on where in the visual field the 408 highest magnitudes of translational optic flow are experienced. One potential explanation for 409 these results is that bumblebees are selecting the translational optic flow used for flight 410 control from one or more non-overlapping regions of the visual field. The position and size of 411 these 'measurement' regions would be determined by the areas of the visual field in which the 412 magnitude of optic flow is maximal. Such a strategy would explain how bumblebees are able 413 to control their speed and position when translational optic flow cues are available on only 414 one side of the visual field, as in the case of the asymmetrical tunnel. The idea that 415 bumblebees may be extracting information about the maximum magnitude of optic flow in 416 the visual field is consistent with the findings of a recent study showing that tethered 417 Drosophila make corrective adjustments in response to the highest magnitude of optic flow 418 encountered in the visual field (Cabrera and Theobald, 2013). Because the magnitude of optic 419 flow increases when the distance to surfaces decreases, such a system would ensure that speed 420 and position are being controlled relative to the nearby obstacles. This suggestion also agrees 421 with the finding that, when presented with a three-dimensional visual environment, 422 bumblebees control their flight according to the translational optic flow generated primarily 423 by the nearby obstacles – that is, those that generated the highest magnitudes of translational 424 optic flow in the visual field – rather than the optic flow generated by the background (Baird 425 and Dacke, 2012). The fine sensitivity of the bumblebee visual system to even very low 426 increases in the magnitude of translational optic flow at low viewing angles also suggests that 427 optic flow information in these areas may be enhanced, resulting in a tendency to 428 preferentially use measurements in this area for flight control. The apparent flexibility and 429 sensitivity of the bumblebee's optic flow measuring system would readily allow them to 430 detect and respond to changes in the proximity of nearby obstacles. In a cluttered environment, this would ensure that the bees regulate their position and speed according to the nearestobstacles, allowing them to maximise flight efficiency and to minimise the risk of collision.

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It would be of interest to know the limit of the flexibility in this system, for example, how much of a visual angle would the region of translational optic flow need to subtend to have an effect on position control? It would also be of interest to know how the translational optic flow that is used for position (and speed) control is calculated in the visual system of bumblebees? Answering these questions requires more detailed investigations that will be the focus of future work.

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METHODS

General

444 The experiments were conducted indoors in an aluminium net cage (2.1 m high, 3.2 m wide 445 and 2.7 m long) with constant light intensity (500 lux) and temperature (20°C). A bumblebee 446 hive, (Bombus terrestris L., Koppert UK) was placed in the cage at one end of a flight tunnel 447 (3 m long horizontal floor with two parallel 30 cm high vertical walls, Fig. 1A). Individual 448 bees (identified by small plastic number tags glued to their thorax) were trained to fly along 449 the tunnel towards a feeder hidden in a recess at the far end. The feeder was constructed of 450 two channels (1 cm deep and 1 cm wide) – one for sugar water and one for pollen – that ran 451 across the width of the tunnel. The construction and recessed position of the feeder was 452 designed to minimise the effect of the view of the feeder or its lateral position on the flight 453 trajectories of bees flying towards it.

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Two different tunnel widths (30 cm and 15 cm) were used in the experiments investigating the effect of sudden changes in translational optic flow cues on the flight control behaviour of bumblebees. By using two different tunnel widths, we could perform a more rigorous assessment of where in the visual field bees measure optic flow for position and speed control because their trajectories are differently restricted and they naturally fly faster in the wider tunnel (Baird et al., 2010).

For all experimental conditions, the floor of the flight tunnel was white and the top was covered with plastic insect netting. The walls of the tunnel displayed a randomised black and white 1 cm x 1 cm checkerboard pattern or 3 cm wide axial stripes (black and white). Both patterns had a Michelson contrast of 0.76 and the randomised checkerboard pattern contained 465 a broad spectrum of frequencies (for an analysis of the spatial frequencies present in the 466 pattern, see Baird and Dacke 2012). The checkerboard pattern provided strong translational 467 optic flow cues for bees flying along the tunnel, while the axial stripes serve to minimize 468 translational optic flow cues. In two experimental conditions, we presented the bees with 469 symmetric (S) translational optic flow cues, that is, both tunnel walls displayed the same 470 pattern that was either checks (S_{checks}) or axial stripes ($S_{stripes}$). In a third experimental 471 condition, the bees were presented with asymmetric (A) translational optic flow cues by 472 placing the stripe pattern on one wall and the check pattern on the other. We also investigated 473 the effect of abrupt changes from symmetric to asymmetric ($S_{checks} \rightarrow A$) optic flow cues and 474 vice versa $(A \rightarrow S_{checks})$ on flight control by presenting the bees with different combinations of 475 the symmetric (S_{checks}) and asymmetric (A) conditions in the first or second half of the tunnel. 476 For each of the conditions in which asymmetric optic flow cues were presented, we varied the 477 side on which the stripe pattern was presented. This allowed us to test for and subsequently 478 exclude any side bias from these conditions. For an illustration of all experimental conditions, 479 see Fig. 1B.

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Recording of flight trajectories

Bumblebees were allowed to visit the feeder at the end of the flight tunnel for at least one day before recording commenced. A camera (Mikrotron MotionBLITZ EoSens, Unterschleisheim, Germany), mounted above the centre of the tunnel, recorded flights to the feeder at 120 Hz. The experimental conditions were presented in a randomised order and the bees were given at least 30 minutes to adapt to the new experimental condition before recording commenced. A maximum of five flights were recorded for each individual in each condition. The number of flights and individuals analysed in each condition is listed in Table 2.

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Data analysis and calculations of visual field

491 In each video frame, the centre of mass of the bumblebee was determined (in x- and y- pixel 492 coordinates) using an automated tracking program (Lindemann, 2005). The flight trajectories 493 were analysed over a distance of 100 cm (50 cm before and 50 cm after the midsection of the 494 tunnel). Flights in which the bees turned back towards the hive or where they crashed into the 495 walls, the floor or the net covering the tunnel were excluded from the analysis (these flights 496 only represented a small proportion of the total data set in any experimental condition). 497 Lateral position data was converted from pixels to millimetres using a reference pattern 498 placed 15 cm above the tunnel floor (the approximate height of the flight trajectories). Flight 499 speed was calculated by dividing the two-dimensional distance travelled between successive frames by the time step between frames (8.3 ms). Lateral position and flight speed data was averaged in 2 cm bins along the longitudinal axis of the tunnel (x-axis). Data from repeated flights from the same individual were averaged so that each individual was considered only once per experimental condition. To control for possible side biases, we inverted the lateral (y-axis) values in conditions 3a, 4a and 5a and compared the lateral position data with the values from the corresponding condition 3b, 4b and 5b (see Fig. 1B). In all cases, the data were indistinguishable, indicating that there was no side bias in the data set. To simplify the analysis, we therefore pooled the data together. The results from the pooled condition 4 $(S_{checks} \rightarrow A)$ were then compared with control condition 1 (S_{checks}) and the results from the pooled condition 5 ($A \rightarrow S_{checks}$) were compared with the pooled control condition 3 (A). A response to a unilateral pattern change was considered to occur when the lateral position or flight speed in the test condition differed significantly from the data in the control condition at the corresponding longitudinal distance and continued to differ for the remainder of the analysis region. To estimate the viewing angle occupied by the pattern change when a response is observed, we took the inverse tangent of the ratio between the mean lateral distance to the wall displaying the pattern change (dy) and the mean longitudinal distance from the pattern change (dx) when the response occurred (Fig. 1C). This data was calculated using data from all individuals in the respective condition and assumed that the visual field of the bees was aligned parallel with the long axis of the tunnel. This assumption was based on the observation that the bees flew along relatively straight trajectories with their body axis aligned with the long axis of the tunnel and that the flight direction and the midline of the bee's visual field are approximately equivalent. To further support this assumption, we analysed the mean body angle for each flight over a distance of 20 cm before the first change in behaviour was observed (for the conditions with a pattern change) or in the centre of the 524 tunnel when both walls were lined with checks (as a control). We found that the mean body 525 angle was very low in all conditions (ranging from -0.4 \pm 6.8 deg. in S_{checks} to a maximum 526 9.2±13.8 deg. towards the wall with the pattern change in the $S_{checks} \rightarrow A$). As a result, 527 references to viewing angle in the text are always given with respect to the midline of the 528 field of view (which has a viewing angle of 0 deg.). To estimate the magnitude of 529 translational optic flow generated by the unilateral pattern change at this viewing angle 530 (retinal angular velocity), we multiplied the sine of the viewing angle by the ratio between the 531 velocity and the distance to the change (the hypotenuse derived from dx and dy). This

calculation for the maximum magnitude of optic flow performed for each degree across the region of the eye that viewed the check pattern (for the eye viewing the constant check pattern, this region was 180 deg.) at each distance step. To calculate the relative difference between the maximum magnitude of optic flow experienced in each eye (Fig. 6), we subtracted the maximum value in the eye viewing the constant pattern from the maximum value in the eye viewing the pattern that changed. Wilcoxon rank sum tests at the 5% significance level were used for all statistical analyses.

539

540 **Competing interests**

541 The authors declare no competing financial interests.

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543 Author contributions

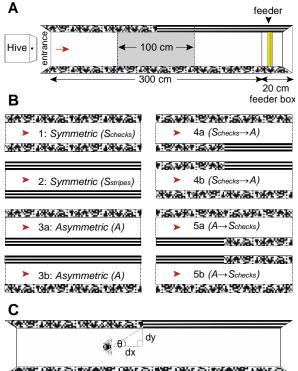
- N.L., M.D, and E.B. designed the experiments. N.L. collected the data. N.L and E.B. analysed
 the data. N.L, M.D and E.B. wrote the manuscript.
- 546

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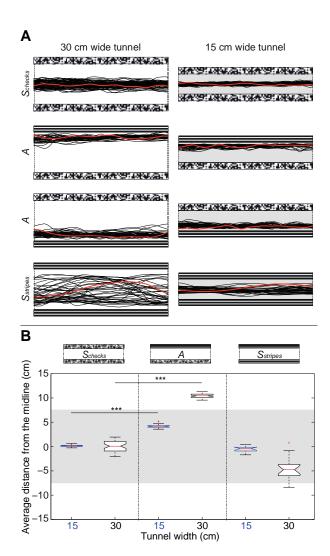


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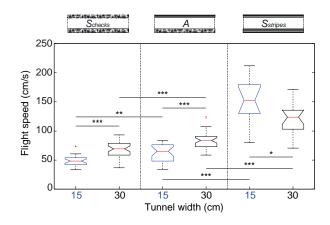
606 Fig. 1. Experimental set-up. (A) Schematic diagram of a flight tunnel (300 cm long x 30 cm 607 wide x 30 cm high). The bumblebee hive was placed at one end of the flight tunnel (bees 608 could enter anywhere along the opening of the tunnel) and a two-compartment feeder (marked 609 in yellow), covering the whole width of the tunnel, was placed in a recess at the far end of the 610 tunnel. A high-speed camera recorded trajectories of bees flying over the central (100 cm) 611 section of the tunnel, indicated by the grey area. (B) Pattern combinations used in each 612 experimental condition. In two of the experimental conditions, the same type of pattern was 613 displayed on each wall, generating *symmetric* translational optic flow cues in the lateral visual 614 field of bees flying along the midline of the tunnel: 1) randomised checkerboard on both walls 615 (Symmetric, 'S_{checks}') or 2) horizontal stripes on both walls (Symmetric stripes, 'S_{stripes}'). In the 616 third condition 3) one wall displayed the checkerboard pattern, while the other wall displayed 617 the horizontal stripe pattern: 3a) left wall: checks, right wall: stripes; or 3b) vice versa. This 618 presented the bees with asymmetric lateral optic flow cues (Asymmetric, 'A'). In the next four 619 conditions, one wall displayed the checkerboard pattern along the length of the tunnel, while 620 the pattern on the other wall changed abruptly half way along the tunnel: 4a) left wall: checks, 621 right wall: checks then stripes; or 4b) vice versa; 5a) left wall: checks, right wall: stripes then 622 checks; or 5b) vice versa. The red arrows indicate the direction of flight. (C) Illustration of the

623 calculation of the viewing angle (θ) occupied by the unilateral pattern change when the bees 624 adjusted their flight speed and position in response to the abrupt change in the magnitude of 625 optic flow. Condition $A \rightarrow S_{checks}$ is shown in the example.

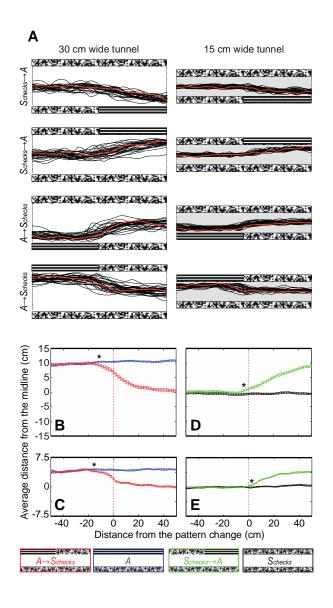


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628 Fig. 2. Effect of asymmetric translational optic flow cues on the centring response. (A) 629 Raw flight trajectories for the conditions S_{checks} , A, and $S_{stripes}$. A typical flight trajectory for 630 each condition is highlighted in red. (B) The average lateral position of bees flying in a 15 cm 631 (boxes outlined in blue) or 30 cm (boxes outlined in black) wide tunnel, lined with either 632 checks on both walls (S_{checks}), stripes on one wall and checks on the other (A), or stripes on 633 both walls (S_{stripes}). Grey shading indicates the width of the 15 cm wide tunnel. Boxes indicate 634 the distance between the lower and upper quartile values, red lines indicate the median values 635 and whiskers indicate the entire spread of the data. Stars indicate the significance level: 636 *P<0.05, **P<0.01, ***P<0.001.



640Fig. 3. Effect of asymmetric translational optic flow cues on speed control. Average flight641speed of bees flying in a 15 cm (boxes outlined in blue) or 30 cm (boxes outlined in black)642wide tunnel, lined with either checks on both walls (S_{checks}), stripes on one wall and checks on643the other (A), or stripes on both walls ($S_{stripes}$). Boxes indicate the distance between the lower644and upper quartile values, red lines indicate the median values and whiskers indicate the645entire spread of the data. Stars indicate the level of significance: *P < 0.05, **P < 0.01,646***P < 0.001.



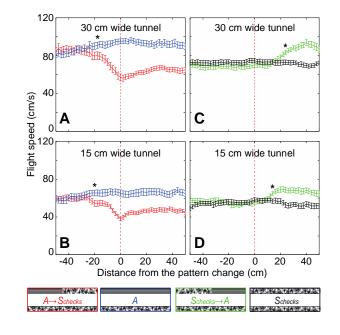
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649 Fig. 4. Effect of a unilateral change in optic flow on lateral position. (A) Raw flight 650 trajectories for the conditions $S_{checks} \rightarrow A$ and $A \rightarrow S_{checks}$. A typical flight trajectory for each 651 condition is highlighted in red. Grey shading indicates the width of the 15 cm wide tunnel.

Average lateral position of bees flying along a 30 cm wide tunnel (B, D) or a 15 cm wide tunnel (C, E). Red lines represent condition $A \rightarrow S_{checks}$, blue lines represent control condition A, green lines represents condition $S_{checks} \rightarrow A$ and black lines represent control condition S_{checks} . The red dotted line illustrates the point in the tunnel where the unilateral pattern change occurred, generating a asymmetric change in the magnitude of translational optic flow. Means are calculated over 2 cm bins, error bars represent the standard error of the mean. Asterisks indicate where the lateral position of the bees in condition $A \rightarrow S_{checks}$ or $S_{checks} \rightarrow A$ deviates 659 significantly from the lateral position in the corresponding control condition (A or S_{checks} ,

660 respectively).

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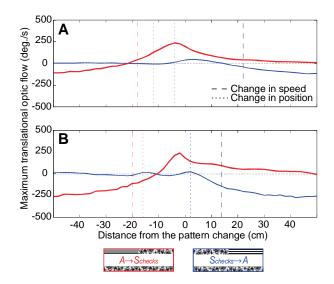


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664 Fig. 5. Effect of a unilateral change in optic flow on flight speed. Average flight speed of 665 bees flying along a 30 cm wide tunnel (A, C) or a 15 cm wide tunnel (B, D). Red lines 666 represent condition $A \rightarrow S_{checks}$, blue lines represent control condition A, green lines represents 667 condition $S_{checks} \rightarrow A$ and black lines represent control condition S_{checks} . The red dotted line 668 illustrates the point in the tunnel where the unilateral pattern change occurred, generating a 669 asymmetric change in the magnitude of translational optic flow. Means are calculated over 2 670 cm bins, error bars represent the standard error of the mean. Asterisks indicate where the 671 flight speed in condition $A \rightarrow S_{checks}$ or $S_{checks} \rightarrow A$ deviates significantly from the flight speed in 672 the corresponding control condition (A or S_{checks} , respectively).

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679 Fig. 6. Comparison of the maximum magnitude of translational optic flow in each visual 680 field. The maximum magnitude of optic flow over 180 deg. was calculated for the visual field 681 viewing the pattern change and compared with the visual field viewing the constant pattern 682 for the two conditions, $A \rightarrow S_{checks}$ (solid red lines) or $S_{checks} \rightarrow A$ (solid blue lines) in both the 30 683 cm (A) and 15 cm (B) wide tunnels. A value of zero indicates that the maximum magnitude of 684 translational optic flow is equal in each visual field, a negative value indicates that it is lower 685 in the visual field viewing the pattern change and vice versa. Note that the calculation for the 686 visual field viewing the pattern change was made only for the region occupied by the check 687 pattern as the stripe pattern generated no translational optic flow cues. Vertical lines indicate 688 the longitudinal distance from the pattern change at which a change in speed (dashed lines) or 689 position (dotted lines) was recorded for each condition (red lines indicate the data for the 690 $A \rightarrow S_{checks}$ condition and blue lines for the $S_{checks} \rightarrow A$ condition).

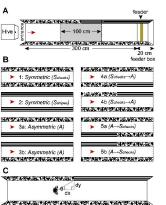
Table 1. Details of statistical analysis. Wilcoxon rank sum tests at a 5% significance level 692 were used for all statistical analyses. N is the total number of flights included in the analysis. 693 For illustrations of the different experimental conditions (S_{checks} , A, $S_{stripes}$, $S_{checks} \rightarrow A$, 694 $A \rightarrow S_{checks}$) see Fig. 1B.

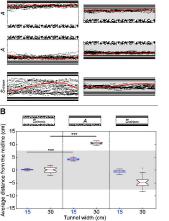
Sc	$S_{checks} \rightarrow A \text{ vs. } S_{checks}$		$A \rightarrow S_{checks}$ vs. A		S_{checks} vs. A		A vs. $S_{stripes}$	15 cm vs. 30 cm
	position	speed	position	speed	position	speed	speed	speed
cm	Z=3.04 N=49 P=0.002	Z=2.53 N=49 P=0.011	Z=2.05 N=64 P=0.040	Z=2.27 N=64 P=0.023	Z=-6.29 N=54 P<0.001	Z=-2.85 N=54 P=0.004	Z=4.86 N=40 P<0.001	$\begin{array}{llllllllllllllllllllllllllllllllllll$
15	Z=-2.32	Z=-2.17	7=-2.39	Z=-2.03	Z=7.69	Z=4.35	Z=4.44	P<0.001 P=0.032
cm	N=82 P=0.020	N=82 P=0.030	N=70 P=0.017	N=70 P=0.042	N=80 P<0.001	N=80 P<0.001	N=56 P<0.001	A Z=-4.81 N=67
30 c								P<0.001

Table 2. Sample size for each condition. See Fig. 1B for illustration and description of the

699 pattern combinations used for all conditions.

Condition	Number of individuals	Number of flights		
Condition	(15 cm / 30 cm tunnel)	(15 cm / 30 cm tunnel)		
1 (S_{checks})	26/41	66/75		
2 $(S_{stripes})$	12/17	34/41		
3a;b (A)	14/23; 14/16	48/38; 30/30		
4a;b ($S_{checks} \rightarrow A$)	12/21; 11/20	42/27; 25/30		
5a;b ($A \rightarrow S_{checks}$)	21/13; 15/18	41/29; 27/32		





15 cm wide tunnel

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A

Schecks

30 cm wide tunnel

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