# Exceptional running and turning performance in a mite 

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#### Abstract

The Southern California endemic mite Paratarsotomus macropalpis was filmed in the field on a concrete substrate and in the lab to analyze stride frequency, gait and running speed under different temperature conditions and during turning. At ground temperatures ranging from 45 to $60^{\circ} \mathrm{C}$, mites ran at a mean relative speed of $192.4 \pm 2.1$ body lengths (BL) s ${ }^{-1}$, exceeding the highest previously documented value for a land animal by $12.5 \%$. Stride frequencies were also exceptionally high (up to 135 Hz ), and increased with substrate temperature. Juveniles exhibited higher relative speeds than adults and possess proportionally longer legs, which allow for greater relative stride lengths. Although mites accelerated and decelerated rapidly during straight running ( $7.2 \pm 1.2$ and $-10.1 \pm 2.1 \mathrm{~m} \mathrm{~s}^{-2}$, respectively), the forces involved were comparable to those found in other animals. Paratarsotomus macropalpis employs an alternating tetrapod gait during steady running. Shallow turns were accomplished by a simple asymmetry in stride length. During tight turns, mites pivoted around the tarsus of the inside third leg (L3), which thus behaved like a grappling hook. Pivot turns were characterized by a $42 \%$ decrease in turning radius and a $40 \%$ increase in angular velocity compared with non-pivot turns. The joint angle amplitudes of the inner L2 and L3 were negligible during a pivot turn. While exceptional, running speeds in $P$. macropalpis approximate values predicted from inter-specific scaling relationships.


KEY WORDS: Paratarsotomus, Relative speed, Stride frequency, Gait, Turning

## INTRODUCTION

Walking and running arachnids generally utilize variations on an alternating tetrapod gait, in which opposite legs are 180 deg out of phase in the stepping cycle and four legs (L1, L3, R2, R4, or L2, L4, R1, R3) contact the ground in stance phase at any given time (Spagna and Peattie, 2012). This gait structure, combined with the sprawled posture typical of most arachnid orders, provides both high static stability and maneuverability (Jindrich and Full, 1999; Weihmann, 2013). Although there is a growing body of work on spider locomotion and kinematics, much less is known about locomotion in mites (Subclass Acari). Mites offer interesting comparisons to other running arthropods, not only because of their small size and correspondingly high stride frequencies but also because of the ability of many species to run rapidly and execute tight turns while traveling over extremely uneven substrates.

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Mites attain some of the fastest relative speeds documented in the animal kingdom ( Wu et al., 2010). Very small mites ( $<1 \mathrm{mg}$ ) represent some of the smallest running arthropods and, as such, they allow us to test whether models relating running speed and stride frequency to animal mass apply at lower mass extremes. Both relative speed $\left(v_{\mathrm{r}}\right)$ and stride frequency $(f)$ scale negatively with body mass ( $M_{\mathrm{b}}$ ) (Alexander, 1982; Weyand et al., 2000; IriarteDíaz, 2002; Biewener, 2003; Wu et al., 2010). Dynamic similarity and the length-resonance relationship predict that $f \propto l^{-0.5}$, where $l$ is leg length, as for a pendulum (Alexander and Jayes, 1983; Biewener, 2003; Hurlbert et al., 2008). Assuming isometric scaling of $l$ and $M_{\mathrm{b}}\left(l \propto M_{\mathrm{b}}^{0.33}\right)$, we can derive the predicted scaling of stride frequency and body mass as $f \propto M_{\mathrm{b}}-0.17$. Similarly, absolute speed (u) should scale as $M_{\mathrm{b}}^{0.17}\left(M_{\mathrm{b}}^{-0.17} \times M_{\mathrm{b}}^{0.33}\right)$ and $v_{\mathrm{r}}$ should scale as $M_{\mathrm{b}}^{-0.17}\left(M_{\mathrm{b}}^{0.17} / M_{\mathrm{b}}^{0.33}\right)$. Early work showed that this predicted scaling for $v_{\mathrm{r}}$ holds true for East African mammals (Pennycuick, 1975), and this was subsequently corroborated for other mammals (Garland, 1983). More recently, however, Iriarte-Díaz (2002) showed that mammals can be subdivided into smaller species $(<30 \mathrm{~kg})$ with a lower $v_{\mathrm{r}}: M_{\mathrm{b}}$ exponent of -0.09 , and larger species with a considerably larger exponent ( -0.46 ). Several factors may account for different exponent values and size-dependent changes in the exponent, including non-isometric scaling of limb length, metabolic power (Schmidt-Nielsen, 1984; Jones and Lindstedt, 1993), and the interaction of metabolic power and dynamic similarity constraints (Hurlbert et al., 2008).

The negative scaling of $v_{\mathrm{r}}$ and $f$ with body mass appears to hold true for other terrestrial taxa (Biewener, 2003; Full, 2011). However, scaling models based on vertebrates may not provide good predictors for behavior in very small animals below 1 g in mass. Here, predicted stride frequency may be limited by one or more components of muscle physiology and force generation: excitationcontraction coupling, actin-myosin cross-bridge cycling, and calcium-clearance required for muscle relaxation. Alternatively, the force-velocity trade-off for muscles could limit running speed and stride frequency at small sizes. Faster muscles not only generate less force as a result of faster cross-bridge cycling, as depicted in a typical force-velocity curve, but also tend to incorporate fewer contractile myofibrils. In ultrafast muscle fibers, the rapid crossbridge cycling depends on high mitochondrial density to sustain the rapid ATP turnover, and the fast calcium clearance required for rapid relaxation depends on a large relative volume of sequestering sarcoplasmic reticulum (SR) (Appelt et al., 1991; Rome, 2006). Both mitochondria and SR compete for space with myofibrils, but how their relative volumes scale with muscle speed is unknown.

Paratarsotomus macropalpis (Banks, 1916) is an erythracarid mite occurring in the coastal sage scrub of Southern California (Otto, 2000). This species is known for its exceptional thermal tolerance (Wu and Wright, 2015) and locomotory performance (Wu et al., 2010), with relative speeds of up to $133 \mathrm{BL} \mathrm{s}^{-1}$ and stride frequencies of up to 111 Hz at $45^{\circ} \mathrm{C}$. Here, we build on previous work, using kinematic analysis of mites running on concrete substrates in the field to quantify running performance in

| List of symbols and abbreviations |  |
| :---: | :---: |
| BL | body length |
| $C_{\text {D }}$ | drag coefficient |
| $f$ | stride frequency |
| $F^{\prime}$ | drag force per unit length |
| $F_{\text {drag }}$ | drag force |
| Fr | Froude number |
| $g$ | acceleration due to gravity |
| $k$ | constant that depends on body shape ( $3 \pi$ for a sphere, such as a mite) |
| 1 | leg length |
| $M_{\text {b }}$ | body mass |
| $R e$ | Reynolds number |
| $u$ | absolute speed |
| $u_{1}$ | leg speed |
| $v_{r}$ | relative speed |
| $V_{\text {sphere }}$ | volume of a sphere |
| $\eta$ | dynamic viscosity |
| $\rho$ | density |
| $\phi$ | leg diameter |
| $\omega$ | angular velocity |

undisturbed animals, and lab filming to analyze stride frequency and gait structure during straight running, acceleration and turning. We also analyze the effects of body size on stride frequency and relative speed among other fast-running species to see whether observed allometric scaling provides good predictions for running speed in $P$. macropalpis. Recently published data for arachnids (Spagna and Peattie, 2012) allow a comparison of relative speeds across multiple arachnid species, as well as among other terrestrial arthropods and vertebrates. In accordance with inter-specific scaling, we hypothesize that juvenile mites will utilize higher stride frequencies and attain higher relative speeds than their adult counterparts.

## MATERIALS AND METHODS

Adult and juvenile $P$. macropalpis mites were filmed running in the lab and outdoors on concrete substrates in Claremont, CA, USA. Concrete served as a sufficiently light background to provide contrast for the mites during filming. Lab filming used a plastic Petri dish or a larger enameled dish warmed with an incandescent lamp. Footage was captured using a high-speed CCD camera (Motion HG-100K, MotionXtra, RedLake, Tucson, AZ, USA) at 1000 frames $\mathrm{s}^{-1}$. For outdoor filming, the camera was mounted vertically to a wheeled cart, allowing for easy movement while keeping it at a uniform distance from the ground surface. Calibration frames were recorded using a millimeter scale placed on the same substrate, and were used to compute body length and linear distances traveled. Ground surface temperatures were measured with a copper-constantan thermocouple in contact with the substrate adjacent to the mites' location.

All image processing and remedial motion analysis were performed with Tracker software (Open Source Physics, USA). To calculate speed and acceleration, mite bodies were manually digitized across sequences of $30-100$ frames where mites ran in a straight path. Average speeds were also estimated by determining the straight-line distance between the start and end locations of the mites and dividing by the total running period. Within selected trials, the number of contacts between a specific limb tip (usually the second or third limb, depending on visibility) and the ground was divided by the running period to compute the animal's stride frequency $f(\mathrm{~Hz})$. The number of individuals used to calculate mean
values was different for each type of measurement because the footage from certain trials was not sufficiently clear to determine stride frequency by limb tracking, or because the footage lacked an absolute calibration slide.

Kinematic measures of mites and individual legs during initial acceleration, deceleration and turning were made in the lab in order to obtain sufficient resolution and image quality. Methods followed those described in Wu et al. (2010). Tracker software was used to measure angles of individual legs during the stride cycle relative to the longitudinal axis of the idiosoma in order to calculate stride angles from the beginning to the end of the aerial phase. During the stance phase, we measured the equivalent joint excursions from the time the tarsus contacted the ground surface to the time at which it was lifted. Changes in the orientation of animals during turns were similarly measured by tracking the longitudinal axis of the animal relative to a fixed grid. To compute leg tarsus speeds, the positions of individual leg tarsi in each frame were calculated from the $x$ and $y$ coordinates and distances were tracked between successive frames.
Mites were collected for morphological measurements using an aspirator and preserved in $80 \%$ ethanol. $M_{\mathrm{b}}$ of mites was estimated assuming a hemispherical body shape using the following formula:

$$
\begin{equation*}
M_{\mathrm{b}}=\rho\left(V_{\text {sphere }} / 2\right), \tag{1}
\end{equation*}
$$

where $\rho$ is density ( $1 \mathrm{mg} \mathrm{mm}^{-3}$ for $P$. macropalpis, following Wu et al., 2010) and $V_{\text {sphere }}$ is the volume of a sphere, calculated assuming a mean radius $[r=1 / 4 \times$ (length + diameter $)$, and ignoring the legs. Calibrated frames with sufficiently resolved images were used to measure body lengths and diameters across the mites' idiosomae, yielding a mean estimated $M_{\mathrm{b}}$ of $268 \pm 18 \mu \mathrm{~g}$ ( $N=7$ individuals) for adult mites and $107 \pm 19 \mu \mathrm{~g}$ ( $N=14$ individuals) for juvenile mites. Body lengths and diameters as well as leg lengths were measured using a dissecting microscope equipped with a calibrated eyepiece reticle.

## RESULTS

## Running speed and stride frequency

Paratarsotomus macropalpis were field-active only at very high ground temperatures, ranging from 43 to $60^{\circ} \mathrm{C}$. Juveniles and adults ran at similar absolute speeds $(u)$ at 47.5 and $52.5^{\circ} \mathrm{C}$, with a maximum recorded speed of $0.26 \mathrm{~m} \mathrm{~s}^{-1}$ (Table 1). Relative speeds $\left(v_{\mathrm{r}}\right)$ in the field averaged $192.4 \pm 2.1 \mathrm{BL} \mathrm{s}^{-1}$ ( $N=32$ individuals), with the fastest relative speed being $323 \mathrm{BL} \mathrm{s}^{-1}$ for a juvenile mite. Comparing data for 47.5 and $52.5^{\circ} \mathrm{C}, v_{\mathrm{r}}$ for juveniles was significantly higher than that for adults ( $P<0.01, N=24$ ). Mites ran with an overall mean stride frequency $(f)$ of $99.7 \pm 1.1 \mathrm{~Hz}(N=19)$, with a maximum recorded value of 135.0 Hz for a juvenile mite. Pearson correlation analysis showed that stride frequency increased

Table 1. Mean running speed and stride frequency for adult and juvenile mites running freely in the field at different ground temperatures
\(\left.$$
\begin{array}{lllr}\hline \begin{array}{l}\text { Ground } \\
\text { temperature } \\
\left({ }^{\circ} \mathrm{C}\right)\end{array} & \begin{array}{l}\text { Absolute speed, } \\
u\left(\mathrm{~m} \mathrm{~s}^{-1}\right)\end{array} & \begin{array}{l}\text { Relative } \\
\text { speed, } v_{r} \\
\left(\mathrm{BL} \mathrm{s} \mathrm{s}^{-1}\right)\end{array} & \begin{array}{l}\text { Stride } \\
\text { frequency, } \\
f(\mathrm{~Hz})\end{array}
$$ <br>
\hline 47.5 \& 0.140 \pm 0.005(2) \& 133 \pm 4.6(2) \& 72 \pm 9.5(2) <br>
52.5 \& 0.156 \pm 0.005(4) \& 203 \pm 5.9(6) \& 88 \pm 2.3(5) <br>
\& 0.170 \pm 0.019(5) \& 159 \pm 8.0(9) \& 104 \pm 5.0(5) <br>
57.5 \& 0.175 \pm 0.009(4) \& 242 \pm 10.0(7) \& 114 \pm 5.0(5) <br>

\& \mathrm{N} / \mathrm{A} \& \mathrm{N} / \mathrm{A}\end{array}\right]\)| $\mathrm{N} / \mathrm{A}$ |
| :--- |
|  |

Data for adult mites are shown in the upper row for each temperature, and those for juveniles in the lower row. Values are means $\pm$ s.e.m. $(N)$. BL, body length.
significantly as a function of relative speed ( $r=0.561, P<0.001$, $N=19$ ). Log transformation of the two variables yielded the following function:

$$
\begin{equation*}
f=26.8 \times v_{\mathrm{r}}^{0.249} \tag{2}
\end{equation*}
$$

The exponent of 0.249 is significantly smaller than unity $\left(P<10^{-8}\right.$, regression $t$-test), showing that increases in stride frequency only partially explain the higher relative speeds of juvenile mites.

The overall scaling relationship between relative speed and estimated body mass ( kg ) for juveniles and adults combined is:

$$
\begin{equation*}
v_{\mathrm{r}}=10.22 \times M_{\mathrm{b}}^{-0.199} \tag{3}
\end{equation*}
$$

Despite the large differences in $v_{\mathrm{r}}$, values for $u$ and $f$ did not differ significantly between juvenile and adult mites $(P=0.6, P=0.4$, respectively). In order to test whether juveniles achieve higher relative speeds with proportionally longer legs (and hence longer stride lengths; Weyand et al., 2000), we analyzed the scaling of leg length ( $l$ ) against body length for 21 preserved mites ranging in body length from 0.62 to 1.43 mm (Fig. 1). Leg length increased progressively from anterior to posterior; for each of the four leg pairs, leg length increased significantly as a function of body length. The combined data for leg length show the following relationship to body length:

$$
\begin{equation*}
l=1.26 \times \mathrm{BL}^{0.641} \tag{4}
\end{equation*}
$$

Relative speed and stride frequency both increased approximately linearly with temperature. Linear regression was used to calculate $Q_{10}$ values for relative speeds between 45 and $55^{\circ} \mathrm{C}$ in adult P. macropalpis, which yielded a $Q_{10}$ of $1.7 \quad(P=0.03, N=10$ individuals); data for juveniles did not yield a statistically significant $Q_{10}$. Stride frequencies for juveniles and adults combined increased with a $Q_{10}$ of 1.6 ( $P=0.04, N=17$ individuals).

Froude numbers ( Fr ) provide a dimensionless measure of speed normalized for body size and were calculated for combined mites at different temperatures using the formula (Alexander, 1982):

$$
\begin{equation*}
F r=u^{2} /(g \times \mathrm{BL}) \tag{5}
\end{equation*}
$$

where $u$ is absolute running speed ( $\mathrm{m} \mathrm{s}^{-1}$ ) and $\boldsymbol{g}$ is gravitational acceleration ( $9.81 \mathrm{~m} \mathrm{~s}^{-2}$ ). Data from Table 1 yielded the following Fr values for the three mean temperatures: $1.56\left(47.5^{\circ} \mathrm{C}\right), 2.03$ $\left(52.5^{\circ} \mathrm{C}\right)$ and $0.99\left(57.5^{\circ} \mathrm{C}\right)$.


Fig. 1. Measured leg lengths for 21 preserved specimens of Paratarsotomus macropalpis as a function of body (idiosoma) length. All four leg pairs scale non-isometrically with body length, with juveniles having proportionally longer legs.

## Starting and stopping

Acceleration achieved by mites during starting and stopping was determined by applying a linear regression to the calculated speeds between successive frames ( $N=10-20$ frames per mite). Juvenile and adult mites combined accelerated at an average of $7.2 \pm$ $1.2 \mathrm{~m} \mathrm{~s}^{-2}$ ( $N=8$ individuals) and decelerated at an average of $-10.1 \pm 2.1 \mathrm{~m} \mathrm{~s}^{-2}$ ( $N=5$ individuals) in the field. Given these mean values, mites will transition between a representative running speed of $0.150 \mathrm{~m} \mathrm{~s}^{-1}$ and rest in $15-20 \mathrm{~ms}$. Values measured in the lab were significantly smaller for both acceleration $\left(2.3 \pm 0.76 \mathrm{~m} \mathrm{~s}^{-2}\right.$, $N=5, P<0.002$ ) and deceleration ( $0.98 \pm 0.30 \mathrm{~m} \mathrm{~s}^{-2}, N=5, P<0.003$ ). The mean relative force $\left(F / M_{\mathrm{b}}\right)$ generated by a representative adult mite $(B L=1 \mathrm{~mm})$ during acceleration in the field was 0.52 g .

Braking forces are contributed by air resistance as well as by muscle and elastic elements. We estimated the air resistance for a representative adult mite ( $\mathrm{BL}=1.0 \mathrm{~mm}$, ignoring the legs) running at $0.15 \mathrm{~m} \mathrm{~s}^{-1}$ at $50^{\circ} \mathrm{C}$ using the formula:

$$
\begin{equation*}
F_{\mathrm{drag}}=k \times \eta \times \mathrm{BL} \times u, \tag{6}
\end{equation*}
$$

where $k$ is a constant ( $3 \pi$ for a spherical mite), $\eta$ is dynamic viscosity of air $\left(1.98 \times 10^{-5} \mathrm{~N} \mathrm{~s} \mathrm{~m}^{-2}\right.$ at $\left.50^{\circ} \mathrm{C}\right)$, BL is body length (m) and $u$ is absolute velocity $\left(\mathrm{m} \mathrm{s}^{-1}\right)$ (Alexander, 1982). Calculated air resistance $\left(F_{\text {drag }} \approx 2.8 \times 10^{-8} \mathrm{~N}\right)$ is only about $1 \%$ of the force required for deceleration $\left(2.5 \times 10^{-6} \mathrm{~N}\right)$ and is therefore insignificant.

By tracking the position of the idiosoma and individual tarsi over time, we were able to analyze limb movements during steady running, as well as during acceleration, deceleration and turning. A representative plot of tarsus speed for the left legs during a straight run is shown in Fig. 2 and the corresponding duty factors are given in Table 2. Opposite limbs move 180 deg out of phase. The near-synchrony of legs 1 and 3 and legs 2 and 4 shows that $P$. macropalpis utilizes an alternating tetrapod gait


Fig. 2. Tarsal speeds of the four left legs in a representative adult P. macropalpis measured during an 80 ms straight run. The upper plot shows data for left ( L ) legs 1 and 2 , with the black line showing the corresponding speed of the body measured at the center of the idiosoma. The lower plot shows data for L3 and L4.


Fig. 3. Gait pattern in P. macropalpis sketched from video footage and showing the limbs close to the extremes of the stride excursion. The blue, vertical bars show the approximate longitudinal excursions of each of the eight legs during the previous (R1, R3; L2, L4) and next (R2, R4; L1, L3) aerial phase. Opposite limbs are approximately 180 deg out of phase.
(L1R2L3R4 - L2R1L4R3, etc., where $L$ is left and $R$ is right). No other gait was observed during steady running. Legs 2 and 3 swing in a wide lateral arc. In contrast, the first and fourth leg pairs articulate in the sagittal plane and generate propulsive force by flexion and extension, respectively. The fourth pair of legs is the longest, approximately 1.8 times longer than the first pair, but displayed the lowest tip speeds and longest aerial phase (and hence lowest duty factor) of any of the leg pairs. Their aerial phase typically extended slightly beyond that of the second pair. Changes in speed of the idiosoma were small and did not show an obvious pattern, although a small acceleration was sometimes observed


Fig. 4. Diagram of $P$. macropalpis executing a tight left turn through 120 deg while pivoting about L3. The three images are sketched from individual frames of video footage and are separated in time by approximately 60 ms . L3 is shown in black. Most of the long setae on the legs are omitted for clarity. Although the illustration only shows three positions of the mite, this turn encompassed 3.5 gait cycles. The arrow shows the direction of the turn and a scale length of 2 mm .

Table 2. Duty factors for the four leg pairs taken from a representative straight run comprising six stride cycles and including the left leg footage shown in Fig. 2

|  | 1 | 2 | 3 | 4 |
| :--- | :---: | :---: | :---: | :---: |
| Duty factor | $0.423 \pm 0.043$ | $0.426 \pm 0.043$ | $0.497 \pm 0.017$ | $0.316 \pm 0.022$ |
| $N$ | 10 | 10 | 10 | 10 |

Values are means $\pm$ s.e.m.
following the onset of the stationary phase, resulting in an oscillation at twice the period of the gait cycle.
Although air resistance makes a minimal contribution to deceleration of the whole animal, it may represent a significant force slowing the legs during the aerial phase. To determine the drag force acting on the leg during the aerial (recovery) stroke, we modeled it as three cylinders of diminishing diameter (see Appendix). The drag behavior of a cylinder for a range of Reynolds numbers $(R e)$ is given in White (2011). For our system, $R e$ varies from 0.23 to 0.37 for which drag per unit length $\left(F^{\prime}\right)$ is approximated as (Tomotika and Aoi, 1951):

$$
\begin{equation*}
F^{\prime}=\frac{C_{\mathrm{D}} \times \rho \times u_{1}^{2} \times \phi}{2} \tag{7}
\end{equation*}
$$

where $C_{\mathrm{D}}$ is the drag coefficient in air, $\rho$ is the density of air, $u_{1}$ is leg velocity and $\phi$ is leg diameter. This results in a calculated drag force of $1.1 \times 10^{-7} \mathrm{~N}$.

The force required to arrest the leg during deceleration in the recovery stroke can be estimated from the measured deceleration approximated from Fig. $2\left(120 \mathrm{~m} \mathrm{~s}^{-2}\right)$ and an estimated leg mass of $1.9 \times 10^{-9} \mathrm{~g}$. This gives a requisite deceleration force of $2.3 \times 10^{-7} \mathrm{~N}$. The estimated drag force is approximately $40 \%$ of the force required to explain the observed deceleration. Taking account of the rather


Fig. 5. Stride angles of leg 2 and leg 3 for the aerial (recovery) and stance (active) stroke during pivot turns, non-pivot turns and straight running. Bars show means $\pm 1$ s.e.m. Inside (ipsilateral) and outside (contralateral) angles for a given leg are the same in the straight runs. Because the inside leg 3 remains in stance during a pivot turn, there was no aerial phase; the angle shown is the equivalent angular change (joint excursion) measured during the recovery stroke. The inside leg 2 and leg 3 remained at similar angles relative to the body during pivot turns while outside stride angles increased relative to a straight run. Non-pivot turns involved an increase in stride angle of the outside leg 2 and leg 3, and a decrease in the equivalent inside stride angles, relative to a straight run, but preserved the basic gait pattern. Means were derived from analysis of five adult mites in each case, using 2-6 gait cycles per animal. Letters denote significant differences $(P<0.05)$ using a 2-way ANOVA to compare stride angles during pivot turns and straight runs (a), non-pivot turns and straight runs (b), and pivot and non-pivot turns (c). N=11-21 for turns and 28-38 for straight runs.

Table 3. Summary kinematic data for mites filmed in the lab while using two different modes of turning

| Turn type | Body length (mm) | Turning radius (mm) | Turning radius (BL) | Turn angle per gait cycle (deg) | Stride frequency (Hz) | Time per gait cycle (ms) | Angular velocity (deg s ${ }^{-1}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pivot $(N=11)$ | $1.14 \pm 0.03$ | $1.73 \pm 0.05$ | $1.53 \pm 0.03$ | $30.9 \pm 1.31$ | $26.5 \pm 2.57$ | $41.5 \pm 3.68$ | $795 \pm 64$ |
| Non-pivot $(N=8)$ | $1.06 \pm 0.05$ | $2.98 \pm 0.31$ | $2.84 \pm 0.27$ | $25.9 \pm 1.61$ | $22.4 \pm 3.55$ | $50.8 \pm 6.14$ | $567 \pm 79$ |
| Student's $t$ | n.s. | 3.99** | - | 2.39* | 0.92 (n.s.) | 1.28 (n.s.) | 2.24* |

Values are means $\pm$ s.e.m.
Student's $t$ statistics from tests comparing the pivot and non-pivot means are given for each parameter ( ${ }^{*} P<0.05,{ }^{* *} P<0.005$ ).
low stride frequency for the animal in Fig. $2(67 \mathrm{~Hz}$ ), these calculations indicate that aerial drag acting on the leg during the recovery stroke is significant, and possibly the primary force arresting the leg at faster running speeds.

The distance covered per stride cycle was calculated from the ratio of running speed to stride frequency ( $u / f$ ). Based on the mean values measured for adult mites at $52^{\circ} \mathrm{C}$ (Table 1), the approximate distance per cycle is 1.64 mm . Assuming a symmetrical gait, this will be equal to the average stride length per leg (Fig. 3).

## Turning

Mites executed two distinct types of turns: pivoting and nonpivoting. Pivot turns involved a highly stereotypical gait in which the animal pivoted around the tarsus of the inside (ipsilateral) leg 3, which thus functioned like a grappling hook (Fig. 4; Movie 1). Nonpivot turns involved slower angular rotations and were accomplished by reductions in ipsilateral stride angles and proportional increases in contralateral stride angles (Table 3). Mites frequently turned through large angles when utilizing both types of turn; the mean changes in orientation for the turns analyzed were $103.4 \pm 48.8$ deg (mean $\pm$ s.d.) for pivots and $102.0 \pm 38.6 \mathrm{deg}$ for non-pivots (Table 3). The turning radius in pivot turns ( $1.73 \pm 0.05 \mathrm{~mm}$ ) was narrowly defined, approximating the length of leg 3 ( $1.71 \pm 0.023 \mathrm{~mm}$ ), and significantly smaller than for nonpivot turns ( $2.99 \pm 0.31 \mathrm{~mm}, P<0.05$; Table 3). In accordance with their smaller turning radii, pivot turns had higher angular velocities $\left(\omega=795 \pm 64 \mathrm{deg} \mathrm{s}^{-1}\right)$ when compared with non-pivot turns ( $567 \pm 79 \operatorname{deg~s}^{-1}, P<0.05$ ). The highest angular velocity measured during a pivot turn was $1253 \mathrm{deg} \mathrm{s}^{-1}$ and the highest during a nonpivot turn was $1040 \mathrm{deg} \mathrm{s}^{-1}$. Pivot and non-pivot turns did not differ in stride frequency or angular rotation per gait cycle (Table 3). Pivot and non-pivot turns also did not show any significant difference in stride frequency when compared with straight-running animals $(N=8)$ over a similar temperature range $(P>0.1)$.

Joint excursions for inner legs 2 and 3 during pivot turns were negligible compared with the joint excursions for the outer legs 2 and 3 during pivot turns, non-pivot turns and straight running (Fig. 5). In pivot turns, the joint excursion for the ipsilateral legs was sharply reduced and not significantly different from zero; legs thus maintain a similar angle with respect to the idiosoma while the animal turns. Contralateral legs showed large joint excursions, and in leg 3 these were significantly larger than during straight running. During non-pivot turns, mites preserved the normal alternating tetrapod stepping pattern, but showed a significant reduction in stride angle in the ipsilateral legs, and a corresponding increase in the contralateral stride angle, relative to a straight run.
The footfall patterns of a running mite, starting from rest and executing several turns, illustrate the alternating tripod gait used during straight running and the pivots about L3 during turning (Fig. 6). During initial acceleration ( $0-0.12 \mathrm{~s}$ ), animals typically pulled with the first two leg pairs (R2 was not used in the footage used to derive Fig. 6), while legs 3 and 4 dragged passively behind for 3-5 gait cycles. No changes in footfall pattern were discernible during deceleration. Footfall patterns show clearly how animals rotated about the ipsilateral leg 3 when executing a pivot turn; three such turns are included in Fig. 6. While pivoting around the tarsus of leg 3, the duty factor of the ipsilateral leg 2 was reduced. Because of the respective decrease and increase in ipsilateral and contralateral stride lengths, the limb tip speeds differed markedly, but duty factors of legs other than leg 3 and leg 2 changed minimally.

## Interspecific scaling of $\boldsymbol{v}_{\mathbf{r}}$ and $\boldsymbol{f}$

To assess whether $v_{\mathrm{r}}$ in $P$. macropalpis is predicted from interspecific scaling, we examined $v_{\mathrm{r}}$ for fast runners including arachnids (Spagna and Peattie, 2012), mammals (Iriarte-Díaz, 2002) and several other taxa, ranging in size over 10 orders of magnitude (Fig. 7, Table S1). Species were selected to comprise only fast


Fig. 6. Footfall diagram for a representative $P$. macropalpis accelerating from rest followed by a period of running and turning in the lab. Each horizontal bar depicts the footfall pattern of a single limb with black showing the stance (ground) phase and white showing the swing (aerial) phase. Bracketed periods A-E denote specific locomotory patterns. (A) Initial acceleration: the mite pulls at the ground with the first two leg pairs. The rear two pairs are dragged briefly before adopting the alternating tetrapod gait cycle. (B) Left turn, pivoting around L3. The gait cycle is essentially preserved, but stride length is reduced in L2 to enable the turn. (C) Right turn, pivoting about R3. Contact between R3 and the ground is broken briefly several times, resulting in a shallower turn. (D) Left turn pivoting about L3.
(E) Straight run showing the stereotypical alternating tetrapod gait cycle.


- Arachnida
- Insecta
$\Delta$ Myriapoda
- Crustacea
$\Delta$ Reptilia
- Mammals (<35 kg)
$\diamond$ Mammals (>35 kg)
- P. macropalpis

Fig. 7. Relative speed $\left(v_{r}\right)$ of adult and juvenile $P$. macropalpis running in the field as a function of body mass $\left(M_{\mathrm{b}}\right)$ compared with published data for other running animals. Least-squares regression lines are shown for arachnids ( $\beta=-0.34$ ), reptiles ( $\beta=-0.24$ ), mammals $<35 \mathrm{~kg}(\beta=-0.099)$ and mammals $>35 \mathrm{~kg}(\beta=-0.42)$. The dashed line shows the least-squares regression for the combined data ( $\beta=-0.112$ ). A list of species included here, with references, is given in Table S1.
runners (typically cursorial or ambush predators with high sprint speed), and drawn from as wide an array of taxa as possible, minimizing over-representation of specific families. Thus, we included data for two of the fastest ants, despite data being available for multiple ant species (e.g. Hurlbert et al., 2008). The mean BL of juvenile mites filmed in the field on all calibrated footage was $711 \pm 43 \mu \mathrm{~m}$ ( $N=14$ individuals), and the mean BL for adults was $1005 \pm 23 \mu \mathrm{~m}$ ( $N=7$ individuals).
Mite speeds are closely predicted by scaling for the combined data ( $\beta=-0.112$, or -0.103 when $P$. macropalpis is excluded) and by a regression for running arthropods excluding $P$. macropalpis ( $\beta=-0.104$ ), where $\beta$ is the scaling exponent for $v_{\mathrm{r}}$ against $M_{\mathrm{b}}$.

## DISCUSSION

The mean relative speed of $192.4 \mathrm{BL} \mathrm{s}^{-1}$ measured for $P$. macropalpis in this study is the highest value for $v_{\mathrm{r}}$ currently documented for any terrestrial animal, exceeding the highest previously published value of $171 \mathrm{BL} \mathrm{s}^{-1}$ for the Australian tiger beetle, Cicindela eburneola (Kamoun and Hogenhout, 1996). The maximum stride frequency reported here, 135 Hz , is also the highest reported value for any weight-bearing muscle. The faster speeds relative to the lab measurements reported for this species by Wu et al. (2010) may be attributable in part to poor traction on the enamel substrate used for lab trials, but we believe they are also likely to be explained by injury sustained by animals during collection. Animals collected with an aspirator frequently had damaged legs and impaired mobility.

Juvenile $P$. macropalpis run at similar absolute speeds to adult mites, but consequently attain significantly higher relative speeds (Table 1). Comparing juveniles and adults, differences in stride frequency only partly explain the higher $v_{\mathrm{r}}$ in juveniles ( $f \propto v_{\mathrm{r}}^{0.249}$, Eqn 2). The requisite differences in stride length are consistent with the proportionally longer legs of juveniles (Eqn 3). This ontogenetic change in relative stride length allows the smaller juveniles to run at similar absolute speeds to adults (Fig. 1). Adults and juveniles show similar Froude numbers, ranging from 0.99 to 2.03 depending on temperature, and conforming broadly to values published for other running arthropods (Biewener, 2003; Full, 2011) and for symmetrical gaits in tetrapods, consistent with the dynamic similarity hypothesis (Alexander and Jayes, 1983). To put this in
context, running mammals and lizards typically transition to asymmetric gaits at Froude numbers between 2 and 3.

Because mites were only field-active over a limited temperature range (substrate temperatures of $43-60^{\circ} \mathrm{C}$ ), we had a smaller temperature range from which to assess the effect of temperature on running speed and stride frequency than in the lab trials used by Wu et al. (2010). However, our $Q_{10}$ values for $v_{\mathrm{r}}(1.70)$ and $f(1.60)$ calculated over $45-55^{\circ} \mathrm{C}$ show good agreement with the respective lab values for $u$ (1.61) and $f(1.59)$ calculated by Wu et al. (2010) for $40-50^{\circ} \mathrm{C}$. Interestingly, neither $u$ nor $f$ showed the steep declines above $50^{\circ} \mathrm{C}$ reported by Wu et al. (2010). This decline in running performance in the prior study may be attributable to stress or injury sustained during field collection, but could also be a consequence of the rapid heating and cooling (between $22^{\circ} \mathrm{C}$ and experimental temperatures) imposed by the lab trials. Either way, while animals running freely in the field show a plateau and perhaps a modest decline in running performance above $55^{\circ} \mathrm{C}$ (Table 1), they are clearly able to maintain exceptional speeds at temperatures up to $60^{\circ} \mathrm{C}$. Indeed, our second highest measured relative speed $\left(301 \mathrm{BL} \mathrm{s}^{-1}\right)$ was for a juvenile at $60^{\circ} \mathrm{C}$.

Despite the extremely high relative speeds and stride frequencies attained by P. macropalpis, allometric comparisons with other fastrunning animals do not show the mite to be an outlier. The exceptional relative speeds documented for the tiger beetle Cicindella eburneola (Kamoun and Hogenhout, 1996) and the ghost crab Ocypode ceratophthalma (Burrows and Hoyle, 1973) present as much more dramatic outliers (Fig. 7; Table S1). Relative speeds (present study) and stride frequencies (Wu et al., 2010) for P. macropalpis are well predicted by interspecific scaling. The scaling exponent of -0.112 derived from our interspecific comparison underestimates mite $v_{\mathrm{r}}$ slightly, but almost exactly predicts mite speeds if these are adjusted using our $Q_{10}$ values for a more representative temperature of $40^{\circ} \mathrm{C}$ (yielding $v_{\mathrm{r}}$ values of approximately $110 \mathrm{BL} \mathrm{s}^{-1}$ ). Comparative data for arthropods yield a similar scaling exponent for $v_{\mathrm{r}}$ against $M_{\mathrm{b}}(-0.104)$. Taken together, allometric comparisons support the dynamic similarity of $P$. macropalpis to other running animals. Caution should be applied, however, given the paucity of arthropod data, particularly for myriapods and crustaceans. More information is available for other arachnid orders (Spagna and Peattie, 2012), and these appear to show a steeper scaling of $v_{\mathrm{r}}$ with $M_{\mathrm{b}}$, but as with other arthropods the data show considerable variance and lack representative species for several orders. Terrestrial runners are restricted to two major taxa - tetrapods and arthropods - with little overlap in mass ranges, which presents challenges to the application of phylogenetic comparative methods (Felsenstein, 1985; Garland et al., 2005; see also Rohlf, 2006). Future analyses accounting for independent origins of a running habit, and independent land colonization by different arthropod subphyla, may help to inform our understanding of $v_{\mathrm{r}}$ scaling.

Paratarsotomus macropalpis employs an alternating tetrapod gait as seen also in spiders (Ward and Humphreys, 1981; Biancardi et al., 2011) and several other arachnid orders (Spagna and Peattie, 2012). Although temporal resolution in our footage is limited by the very high stride frequencies (ca. 10 frames per stride cycle), duty factors approximate 0.5 for leg $3,0.42$ for leg 1 and leg 2 , and somewhat lower ( 0.32 ) for leg 4 . This pattern is modified during acceleration, when the third and fourth leg pairs are dragged passively for $2-5$ gait cycles. Based on our measurements of initial acceleration in the field and in the lab, this corresponds to the time required to attain a steady running speed ( $20-60 \mathrm{~ms}$ ).

When executing tight turns, mites show a stereotypical gait, pivoting around the tarsus of the ipsilateral third leg. Such turns appear to involve the tarsus functioning as a grapple. The flexible distal part of the leg can be seen to stretch taut intermittently as the mite pivots, consistent with the anchor of the tarsal claws serving in the transfer of angular momentum (see Movie 1). In a shallow right turn, R3 follows the usual gait cycle but with reduced stride length and an increased duty factor, and may skip the aerial phase in adjacent gait cycles. Both pivot and non-pivot turns may involve very high angular velocities. The mean value for $\omega$ during pivot turns in the lab was $795 \pm 64 \mathrm{deg} \mathrm{s}^{-1}$, which likely underestimates angular velocities at the higher stride frequencies exhibited in field conditions. Given the mites' ability to turn through 180 deg in 6-7 gait cycles, and assuming a stride frequency in the field of 100 Hz , they would be able to accomplish such a turn in less than 0.1 s . The peak angular velocity achieved by a pivoting mite in the current lab trials exceeded $1250 \mathrm{deg} \mathrm{s}^{-1}$. This pivoting, lateral turn by the mite is comparable in angular velocity to the inversion behavior seen in the cockroach Periplaneta, which uses a similar grappling hook mechanism to pivot vertically around the tarsus of a limb during escape ( $>1200$ deg s${ }^{-1}$; Mongeau et al., 2012). Unlike Periplaneta, however, the mites continued to cycle their other limbs to move through the turn about the pivoted leg (Fig. 4, Table 3).

Although the pivoting (or grappling hook) mechanism has been described in inverting cockroaches and geckos (Mongeau et al., 2012), this use of a grappling hook during turning in P. macropalpis differs substantially from that described for most other arthropods. The octopodal gait in the tarantula Grammostola mollicoma uses a gait cycle where the ipsilateral legs are reversed during a sharp turn (Biancardi et al., 2011). Honey bees and dung beetles use similar ipsilateral gait reversals during tight turns (Zolotov et al., 1975; Frantsevich and Mokrushov, 1980). During more shallow turns, honey bees utilize similar gait adjustments to $P$. macropalpis, pivoting around the ipsilateral hind leg or relying on adjustments in stride length as the turning radius increases (Zolotov et al., 1975). During tight turns on a stick, squash bugs and stick insects also sometimes pivot slowly about the ipsilateral hind leg (Frantsevich and Cruse, 2005; Cruse et al., 2009). Other than for the ipsilateral leg 2 and leg 3, stride frequency and duty factor do not change markedly during turning in P. macropalpis (Fig. 5), which is consistent with leg kinematics during turning in the spider Metaphidippus hartfordi (Land, 1972). Similar preservation of stride frequency and duty factor during turning is typical also for hexapods - for example, the fruit fly Drosophila melanogaster (Strauß and Heisenberg, 1990), 12 species of ants (Zollikofer, 1994) and the large cockroach Blaberus discoidalis (Jindrich and Full, 1999).

Mites, like several other arachnid orders, appear to lack leg extensor muscles in many or all of the joints and to depend on a threshold hemocoelic pressure to maintain leg extension (Shultz, 1989). This is apparent in P. macropalpis from the way in which the legs fold ventrally when animals are quiescent or dead, in a similar manner to those of spiders. Hydraulic leg extension, well documented in spiders and other larger arachnids (Parry and Brown, 1959; Alexander, 1967; Shultz, 1991), is unlikely in $P$. macropalpis because the viscosity of hemocoelic fluid would not allow for movement in/out of the legs' narrow hemolymph canals at the rates required to sustain measured stride frequencies (Sensenig and Shultz, 2003). The measured lumen diameter of the basifemur, telofemur and patella in the legs of an adult P. macropalpis is $40-60 \mu \mathrm{~m}$. Assuming the viscous drag of
hydraulic fluid follows Poiseuille's law (drag $\propto r^{-4}$ ), $\quad P$. macropalpis legs would have about $10^{7}$ times the viscous drag of legs in a large arachnid such as Aphonopelma. Instead, it is probable that mites extend the main leg joints using the release of energy stored in loaded elastic sclerites (Sensenig and Shultz, 2003). Eliminating extensor muscles would confer the benefit of reducing leg mass and inertia and hence the kinetic energy required to sustain high stride frequencies (Full and Tu, 1991). Interestingly, there are only minor differences discernible in the kinetics of leg movements despite the fact that the active and recovery leg strokes likely employ fundamentally different mechanisms in the different leg pairs. Thus, in the extreme case, the first leg pair employs muscular shortening to flex the limb elements during the active stroke, which pulls the animal forward. By contrast, in the fourth leg pair, the active stroke (stance phase) involves leg extension and probably employs the release of energy from loaded elastic sclerites, while muscle shortening flexes the limb during the recovery stroke. The storage and release of elastic energy in leg sclerites is clearly able to operate at the extreme frequencies (up to 135 Hz ) observed. However, the reduced duty factor seen in the fourth legs, and the fact that the third and fourth pairs of legs are dragged passively during initial acceleration while the anterior legs pull the animal forward, may suggest that leg extension using elastic sclerites generates low propulsive force relative to muscular flexion.

During deceleration, mites did not show any clear change in gait pattern. As air resistance is insufficient to explain observed deceleration, the main reaction forces employed in slowing are again probably imparted by the loading of elastic sclerites between the limb elements. At the cessation of the gait cycle on stopping, the idiosoma could be seen to rise and swing forward, representing the final transfer of forward momentum. A probable related function of elastic sclerites in $P$. macropalpis is passive energy absorption and dissipation (Sensenig and Shultz, 2003). Although we filmed animals on a concrete driveway, the species also occurs locally on open ground in coastal sage scrub habitats (Wu et al., 2010). The soils here comprise finely sorted alluvial sands and gravels and represent a very uneven terrain to an animal of ca. 1 mm . Passive shock-absorption of elastic elements may confer an important role in both stability and energy conservation, countering the constant shifting of a mite's center of mass when running on a typical substrate.

Measured values for acceleration and deceleration in P. macropalpis, although appearing very rapid, are comparable to values published for other running animals. Hunting cheetahs achieve accelerations between 0.1 and 1.0 g (Wilson et al., 2013), and the maximum acceleration achieved by Usain Bolt in the 100 m dash is $0.97 \boldsymbol{g}$ (Hernández Gómez et al., 2013). These similarities are consistent with the prediction that muscle work scales in proportion to muscle mass and body mass, allowing animals of different masses to attain comparable acceleration (Hill, 1950; Alexander, 1982).

Notwithstanding the exceptional relative speed and stride frequency shown by $P$. macropalpis, the good prediction of $v_{\mathrm{r}}$ and $f$ from interspecific scaling (Fig. 7; Wu et al., 2010) indicates that the muscle contraction frequencies are likely optimized to exploit limb resonance for energy efficiency and are not limited by the forcevelocity trade-off (Full, 2011). Because muscle force scales in proportion to cross-sectional area $\left(\propto M^{0.67}\right)$, the relative muscle force per unit mass $(F / M)$ scales as $M^{-0.33}\left(M^{0.67} / M^{1}\right)$, increasing as animals get smaller. Just as large animals need disproportionately large leg muscles to support their weight, very small animals can
sacrifice muscle mass or the relative volume of myofibrils within a fiber. Even though P. macropalpis exhibits superfast weightbearing muscles, the relative force they must generate is small by virtue of the mite's small mass. A larger portion of the mite's muscle volume could therefore be allocated to the mitochondria and SR as in other ultra-fast (non-weight-bearing) muscles such as rattlesnake tail shaker muscles (Schaeffer et al., 1996) or the sonic swim bladder muscles in toadfish (Appelt et al., 1991; Rome et al., 1996). An open question is whether the predicted increase in stride frequency and relative speed for even smaller animals is ultimately limited by excitation-contraction coupling, calcium cycling or other components of muscle performance. The fact that direct weightbearing muscles can achieve the stride frequencies measured in juvenile mites (up to 135 Hz ), involving contraction and relaxation times not exceeding 4 ms , demonstrates the extraordinary plasticity of muscle physiology.

In summary, Paratarsotomus macropalpis exhibits several exceptional locomotory attributes. In addition to attaining the fastest relative speed and stride frequency documented for running animals, the mites are capable of turning with extremely high angular velocities by utilizing the ipsilateral leg 3 as a grappling hook. Allometric scaling of leg length during development results in proportionally longer legs in juveniles and allows them to attain absolute and relative speeds comparable to those of adults.

## Appendix

The following analysis explains the calculation of the aerial drag force acting on the mite legs during the recovery stroke. The drag force acting on leg 2 and leg 3 was estimated assuming a mean leg velocity ( $u_{1}$ ) of $0.4 \mathrm{~m} \mathrm{~s}^{-1}$ (see Fig. 2), and leg length of 1.7 mm , approximating the leg as three cylinders with length ( $l$ ) and diameter ( $\phi$ ) as shown in Fig. A1.

Leg segment lengths and diameters were measured in alcoholpreserved specimens. Diameters varied from approximately 0.06 mm at the basifemur to 0.03 mm at the tibia and 0.02 mm at the tarsus. The cylinders here were modeled to approximate the dimensions of the combined basifemur, telofemur and patella (1), tibia (2) and tarsus (3).

The drag coefficient $\left(C_{D}\right)$ was calculated for each of the cylinders $(1,2,3)$ using the following solution for the Oseen equation (Tomotika and Aoi, 1951):

$$
\begin{align*}
C_{\mathrm{D}} & =2 F^{\prime} / \rho \times u_{1}^{2} \times \phi \\
& =8 \pi / \operatorname{Re}[0.5-\Gamma+\ln (8 / R e)] \tag{A1}
\end{align*}
$$

where $F^{\prime}$ is the force per unit length on the cylinder, $\rho$ is the density of air $\left(1.086 \mathrm{~kg} \mathrm{~m}^{-3}\right), R e$ is the Reynolds number and $\Gamma$ is Euler's constant (0.577). $R e=\phi \times u_{1} / v$, where $v$ is the kinematic viscosity of air at $325 \mathrm{~K}\left(=1.807 \times 10^{-5} \mathrm{~m}^{2} \mathrm{~s}^{-1}\right)$; hence, for the cylinders:

$$
\begin{gathered}
R e_{1}=\left[\left(5 \times 10^{-5} \mathrm{~m}\right)\left(0.4 \mathrm{~m} \mathrm{~s}^{-1}\right)(0.35 / 1.70 \mathrm{~mm})\right] / \\
\left(1.807 \times 10^{-5} \mathrm{~m}^{2} \mathrm{~s}^{-1}\right)=0.23, \\
R e_{2}=R e_{1}(0.92 \mathrm{~mm} / 0.35 \mathrm{~mm})(0.03 \mathrm{~mm} / 0.05 \mathrm{~mm})=0.36, \\
R e_{3}=R e_{1}(1.425 \mathrm{~mm} / 0.35 \mathrm{~mm})(0.02 \mathrm{~mm} / 0.05 \mathrm{~mm})=0.37
\end{gathered}
$$

Applying these values to Eqn 3 yields the following dimensionless drag coefficient $\left(C_{\mathrm{D}}\right)$ estimates for segments $1-3$, respectively: 32, 23 and 23. Rearranging Eqn 3:

$$
\begin{equation*}
F^{\prime}=C_{D} \times \rho \times u_{1}^{2} \times \phi / 2 . \tag{A2}
\end{equation*}
$$



Fig. A1. Approximation of the leg as three cylinders. I, leg segment length; $\phi$, leg segment diameter.

The drag force ( $F_{i}$, where $i$ represents the segment) acting on each division of the leg can then be calculated, and summed to yield an estimate of drag force $F_{\text {total }}$ for the whole leg:

$$
\begin{align*}
&{F^{\prime}}_{1}= {\left[\left(32 \mathrm{~N} \mathrm{~m}^{-1}\right)\left(1086 \mathrm{~kg} \mathrm{~m}^{-3}\right)\left(0.08 \mathrm{~m} \mathrm{~s}^{-1}\right)^{2}\left(5 \times 10^{-5} \mathrm{~m}\right)\right] / 2 } \\
&= 6.9 \times 10^{-5} \mathrm{~N} \mathrm{~m}^{-1}, \\
& F_{1}=\left(6.9 \times 10^{-5}\right)\left(7 \times 10^{-4} \mathrm{~m}\right) \\
&= 4.9 \times 10^{-8} \mathrm{~N},  \tag{A3}\\
&{F^{\prime}}_{2}= {\left[\left(23 \mathrm{~N} \mathrm{~m}^{-1}\right)\left(1086 \mathrm{~kg} \mathrm{~m}^{-3}\right)\left(\left(0.4 \mathrm{~m} \mathrm{~s}^{-1}\right)(0.92 / 1.7)\right)^{2}\right.} \\
&\left.\left(2.5 \times 10^{-5} \mathrm{~m}\right)\right] / 2 \\
&= 4.4 \times 10^{-5} \mathrm{~N} \mathrm{~m}^{-1}, \\
& F_{2}=\left(4.4 \times 10^{-5}\right)\left(4.5 \times 10^{-4} \mathrm{~m}\right) \\
&= 2.0 \times 10^{-8} \mathrm{~N},  \tag{A4}\\
& F_{3}^{\prime}= {\left[\left(23 \mathrm{~N} \mathrm{~m}^{-1}\right)\left(1086 \mathrm{~kg} \mathrm{~m}^{-3}\right)\left(\left(0.4 \mathrm{~m} \mathrm{~s}^{-1}\right)(1.425 / 1.7)\right)^{2}\right.} \\
&\left.\left(2 \times 10^{-5} \mathrm{~m}\right)\right] / 2 \\
& F_{3}=\left(7.0 \times 10^{-5}\right)\left(5.5 \times 10^{-4} \mathrm{~m}\right) \\
&= 3.9 \times 10^{-8} \mathrm{~N},  \tag{A5}\\
& \quad F_{\text {total }}=(4.9+2.0+3.9) \times 10^{-8} \\
&=1.1 \times 10^{-7} \mathrm{~N} . \tag{A6}
\end{align*}
$$

The force required to arrest the leg can be estimated using the measured deceleration of leg 2 and leg 3 (ca. $120 \mathrm{~m} \mathrm{~s}^{-2}$; Fig. 2) and by estimating the leg mass as $\sum \pi(\phi / 2)^{2} \times l \times \rho_{1}$ for the three cylinders, where $l$ is cylinder length and $\rho_{1}$ is leg density (estimated at $1100 \mathrm{~kg} \mathrm{~m}^{-3}$ ):

Required deceleration force $=$

$$
\begin{align*}
& 120\left(1100 \times 10^{3}\right)\left[\pi\left(2.5 \times 10^{-5} \mathrm{~m}\right)^{2}\left(7 \times 10^{-4} \mathrm{~m}\right)\right] \\
& +\left[\pi\left(1.5 \times 10^{-5} \mathrm{~m}\right)^{2}\left(4.5 \times 10^{-4} \mathrm{~m}\right)\right] \\
& +\left[\pi\left(1 \times 10^{-5} \mathrm{~m}\right)^{2}\left(5.5 \times 10^{-4} \mathrm{~m}\right)\right] \\
& =2.5 \times 10^{-7} \mathrm{~m} \mathrm{~s}^{-2} \tag{A7}
\end{align*}
$$

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## Competing interests

The authors declare no competing or financial interests.

## Author contributions

S.R. and M.H.-Y.Y. performed experiments and all authors collaborated in data analysis. S.R. and J.C.W. prepared the manuscript. J.C.W., D.L.W. and A.N.A. advised and oversaw the entire research endeavor and also helped to revise the manuscript prior to submission.

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## Supplementary information

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Movie 1. Pivot turn movie. Footage of $P$. macropalpis executing a pivot turn, initially in real-time and then slowed 1/30.

Table S1. Relative speed and mass data for fast-running animals included in Fig. 7

| Species | $\nu_{r}$ | $M_{\text {b }}$ | References |
| :---: | :---: | :---: | :---: |
|  | ( $\mathrm{BL} \mathrm{s}^{-1}$ ) | (g) |  |
| Arthropoda |  |  |  |
| Arachnida |  |  |  |
| Araneae |  |  |  |
| Argiope aurantia | 15.0 | 0.86 | Foellmer et al., 2011 |
| Dolomedes | 37.5 | 1 | Gorb and Barth, |
| plantarius |  |  | 1994 ${ }^{\text {M }}$ |
| Hololena adnexa | 24 | 0.1 | Spagna et al., 2011 ${ }^{\text {M }}$ |
| Hololena adnexa | 79 | 0.1 |  |
| Eratigena atrica | 28.6 | 0.5 | Guinness Book |
| Schizocosa | 75 | 0.05 | Amaya et al., 2001 ${ }^{\text {L }}$ |
| ocreata |  |  |  |
| Solifugae |  |  |  |
| Eremobates | 9.9 | 9.9 | Punzo, 1998 |
| marathoni |  |  |  |
| Acari |  |  |  |
| Paratarsotomus | 154 | 0.00025 | Current study |
| macropalpis |  |  |  |
|  | 214.6 | 0.000025 |  |
| Insecta |  |  |  |
| Formica polyctena | 26 | 0.021 | Hurlbert et al., 2008 |
| Cataglyphis | 74 | 0.01 | Wehner, 1983; |
| bombycina |  |  | Wittlinger et al., 2007 |
| Periplaneta | 50 | 0.83 | Full and Tu, 1991 |
| americana |  |  |  |
| Onymacris plana | 50 | 1.3 | Nicolson, |
|  |  |  | Bartholemew and Seeley, 1984 |
| Cicindela | 171 | 0.05 | Kamoun and |
| eburneola |  |  | Hogenhout, 1996 |
| Myriapoda - Chilopoda |  |  |  |
| Scutigera | 19.1 | 0.1 | Manton, 1965 |
| coleoptrata |  |  |  |
| Crustacea |  |  |  |
| Ocypode | 100 | 12 | Burrows and Hoyle, 1973 |
| Reptilia |  |  |  |
| Callosaurus | 55.3 | 9.5 | Irschick and Jayne, |
| draconoides |  |  | 1999 |
| Cnemidophorus | 37.6 | 17.3 |  |
| tigris |  |  |  |
| Varanus gouldi | 18.6 | 429 | Clemente et al., 2009 |
| Varanus giganteus | 12.9 | 2970 |  |
| Mammalia |  |  |  |
| Gazella thompsoni | 24.2 | 20,500 |  |
|  | gutturosa |  | See Iriate-Díaz, $2002$ |
| Canis latrans | 20.1 | 13,300 |  |
| Vulpes fulva | 28.7 | 4800 |  |
| Acinonyx jubatus | 15 | 20,000 |  |
| Sciurus | 31.0 | 500 |  |
| carolinensis |  |  |  |
|  | 30.2 | 76 |  |
| Ammospermophilus leucurus |  |  |  |


| Species | $\nu_{\mathrm{r}}$ | $M_{\text {b }}$ | References |
| :---: | :---: | :---: | :---: |
| Neotoma lepida | 24.3 | 1100 |  |
| Mus musculus | 43.9 | 16 |  |
| Perognathus | 39.3 | 8.9 |  |
| longimenbris |  |  |  |
| Lepus europeus | 37.1 | 4000 |  |
| (larger mammals, >35 kg) |  |  |  |
| Homo sapiens | 5 | 85,000 |  |
| Equus zebra | 7.4 | 300,000 |  |
| Equus burchelli | 8.2 | 235,000 |  |
| Bison bison | 5.4 | 865,000 |  |
| Cervus elephas | 9.0 | 300,000 |  |
| Rangifera | 12.7 | 100,000 |  |
| tarandus |  |  |  |
| Gazella granti | 16.7 | 62,500 |  |
| Antilocapra | 21.6 | 50,000 |  |
| americana |  |  |  |
| Antilope | 23.6 | 37,500 |  |
| cervicapra |  |  |  |
| Canis lupus | 14.1 | 35,200 |  |
| Panthera tigris | 7.2 | 161,000 |  |
| Panthera leo | 8.2 | 156,000 |  |
| Crocuta crocuta | 13.5 | 52,000 |  |

${ }^{\mathrm{M}}$, Mass estimated from other literature.
${ }^{\mathrm{L}}$, Length estimated from other literature.


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